MARATHON ratio analysis

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- 2. Target density correction
- 3. Radiative correction
- 4. Tritium β -decay correction
- 5. Ratios

Introduction

MARATHON

• Measure $\sigma(^{3}\mathbf{H})/\sigma(^{3}\mathbf{He})$ to extract F_{2}^{n}/F_{2}^{p}

Extraction from deuterium and proton...



- Sensitive to *absolute* magnitude of nuclear effects
- Large model dependence at high x

MARATHON extraction...



- Sensitive to *relative* magnitude of nuclear effects
- Reduced model dependence at high x
- Measure $\sigma(^{3}H)/\sigma(^{2}H)$ and $\sigma(^{3}He)/\sigma(^{2}H)$ to observe EMC effect in A = 3 nuclei

Status of ratio analysis

- Extracting three ratios:
 - ${}^{3}\mathrm{H}/{}^{3}\mathrm{He}\;(F_{2}^{n}/F_{2}^{p},\,d/u)$
 - ${}^{3}\mathrm{H}/{}^{2}\mathrm{H}$, ${}^{3}\mathrm{He}/{}^{2}\mathrm{H}$ (EMC effect)
- Data covers range 0.2 < x < 0.8
- Status of ratio analysis:
 - Ratios show good stability to changes in cuts, corrections
 - Converging on first results for APS April meeting

Density fluctuation

Credit: Nathaly Santiesteban, et al.



Model input

Credit: Hanjie Liu

Radiative correction requires input model:

- F_2^d, F_2^p
 - 1. Bodek
 - 2. NMC 1995 (Phys. Lett. B364 107-115,1995)
- ${}^{3}H$, ${}^{3}He$ EMC ratio
 - 1. Kulagin & Petti (no isoscalar corrections)
 - 2. SLAC EMC (isoscalar)
- SLAC EMC requires F_2^n/F_2^p to remove isoscalar correction
 - 1. $F_2^n/F_2^p = 1 0.8x$
 - 2. CJ15
 - 3. NMC 1992 (Nucl. Physics. B 371(1992) 3-31)¹

Notation example: 122 = Bodek + SLAC EMC + CJ15

¹Neglects nuclear effects in ²H; not valid at high x

Model dependent uncertainty



• Model dependence of EMC ratios $<\!0.5\%$

• Neglecting high-x NMC, model dependence of ${}^{3}\text{H}/{}^{3}\text{He} < 0.5\%$

Target evolution



- Tritium β -decays with half life $\tau_{1/2} = 4500 \pm 8$ days
- Parameterize helium contamination by helium fraction:

$$f_H = \frac{n_H(t)}{n_{tot}} = \frac{n_H^0 + n_T^0 (1 - e^{-t/\tau})}{n_{tot}}$$

• $f_H \approx 3\%$ by end of spring run

Correction and uncertainty

Can obtain pure tritium yield in terms of raw yield Y_{raw} and helium yield Y_H :

$$Y_T = Y_{raw} \left(\frac{1}{1 - \langle f_H \rangle}\right) - Y_H \left(\frac{\langle f_H \rangle}{1 - \langle f_H \rangle}\right)$$

where $\langle f_H \rangle$ is charge-weighted helium fraction:

$$\langle f_H \rangle = \frac{\sum Q_i f_{H,i}}{\sum Q_i}$$

Effect on ratios:

- $\langle f_H \rangle \le 2.5\%$
- Uncertainty $\leq 0.5\%$

Ratio

D/p ratio



Ratio

A = 3 ratios

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