

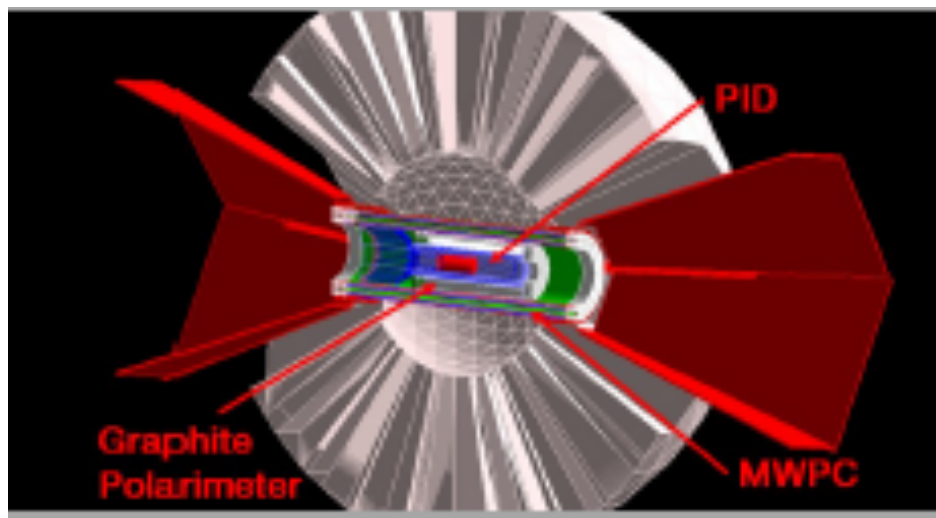
Possibilities for large acceptance nucleon polarimetry & (γ ,NN) revisited

Dan Watts,
University of Edinburgh

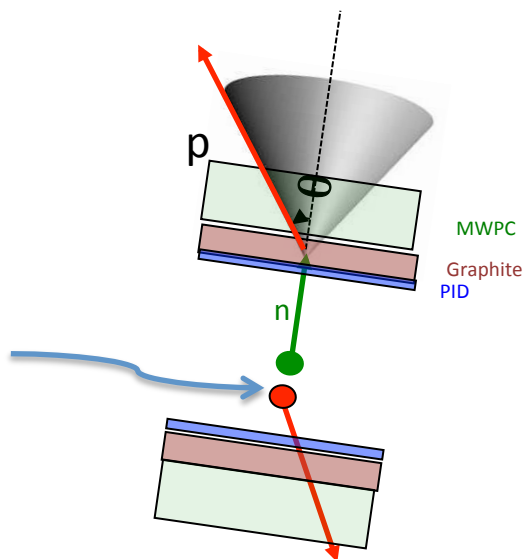
Outline

- Recent work on large acceptance nucleon polarimetry
 - > Useful in next generation SRC experiments?
- Revisit some (γ ,NN) results

EDPOL2: CB@MAMI

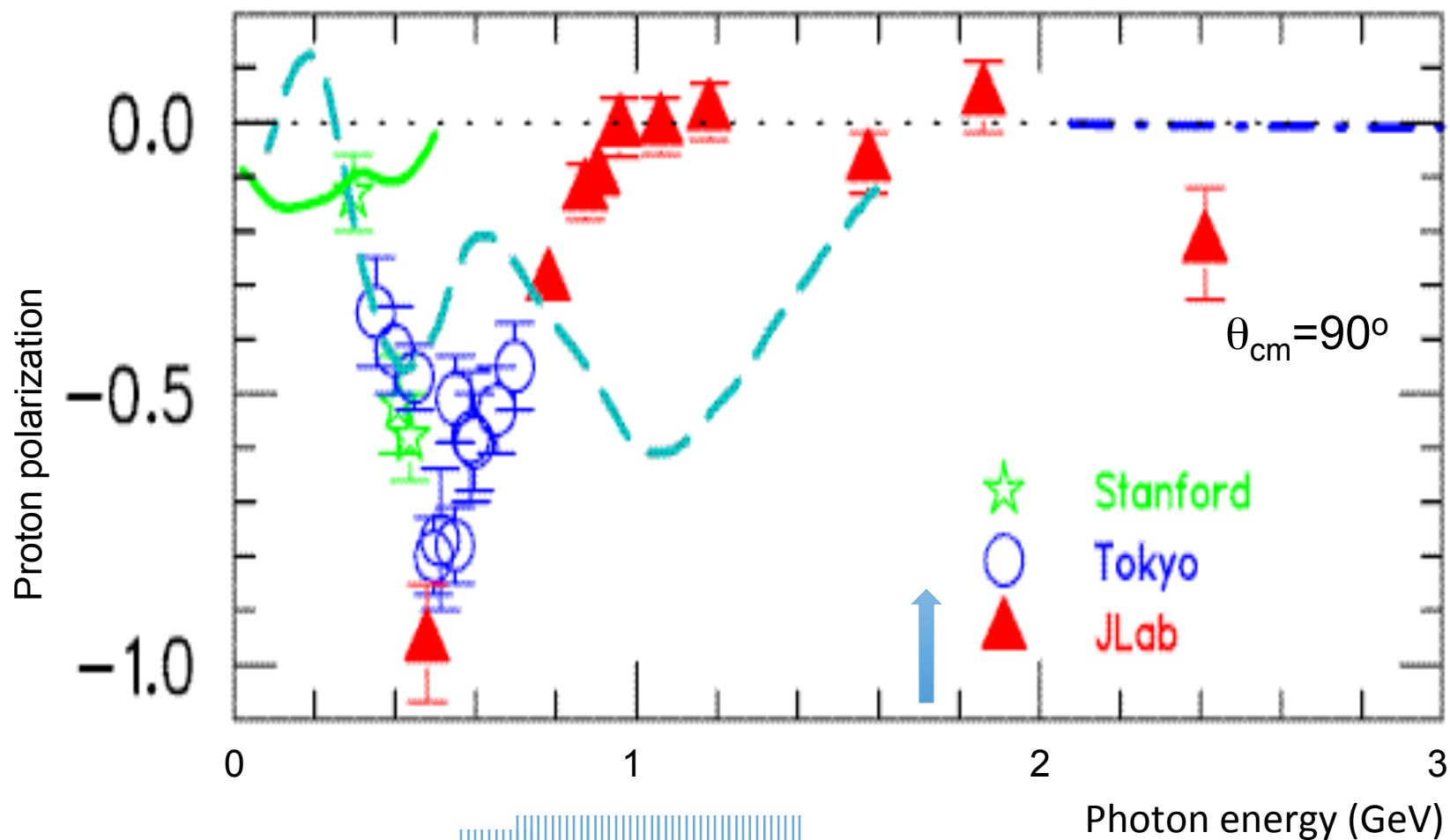


- EDPOL2 Run completed Aug '17
- 10cm liquid deuterium target
- $d(\underline{\gamma}, \underline{pn}) \rightarrow n(\underline{\gamma}, \pi^0) \underline{n} \rightarrow n(\underline{\gamma}, \eta) \underline{n}$



$$n(\theta, \phi) = n_o(\theta) \{ 1 + A(\theta) [P_y \cos(\phi) - P_x \sin(\phi)] \}$$

Expected statistical accuracy for $D(\gamma, pn)$



$D(\gamma, \mathbf{pn})$



CB@MAMI
(projected)
 θ_N bin of $\pm 10^\circ$

$D(\gamma, \mathbf{pn})$



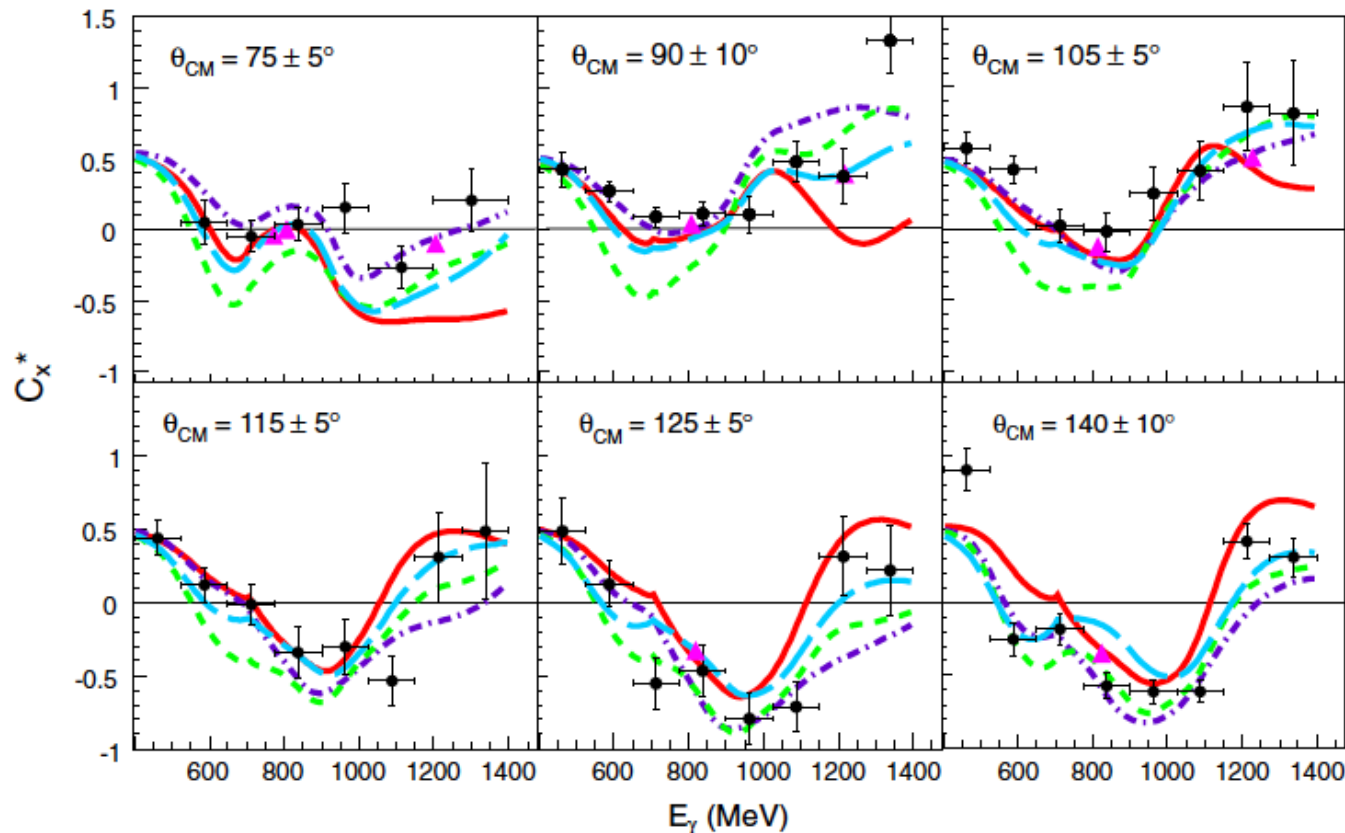
EDPOL1 CB@MAMI – hydrogen target

PRL 112, 022501 (2014)

PHYSICAL REVIEW LETTERS

week ending
17 JANUARY 2014

Measurement of the ${}^1H(\vec{\gamma}, \vec{p})\pi^0$ Reaction Using a Novel Nucleon Spin Polarimeter



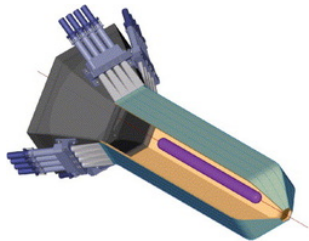
PhD Sikora
Edinburgh

FIG. 3 (color online). C_x^* excitation functions for $\vec{\gamma}p \rightarrow \pi^0 \vec{p}$ (black circles) for fixed pion polar angles θ_{cm} . Previous data came from JLab [2] (magenta triangles). The PWA solutions shown are SAID CM12 [36] (cyan long-dash line), SAID SN11 [37] (green short-dash line), BnGa2011-2 [38] (solid red line), and MAID07 [39] (violet dash-dotted line).

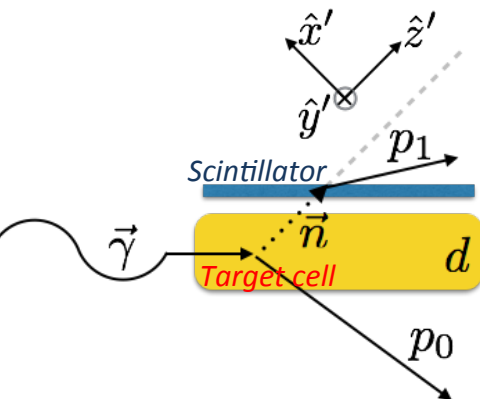
- EDPOL1 – no MWPC.
- Geant4: New classes: Parameterise p- ${}^{12}\text{C}$ scattering data (+SAID PWA for QF NN)

$d(\gamma, \underline{pn})$ with CLAS@JLAB

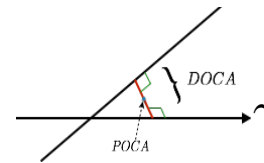
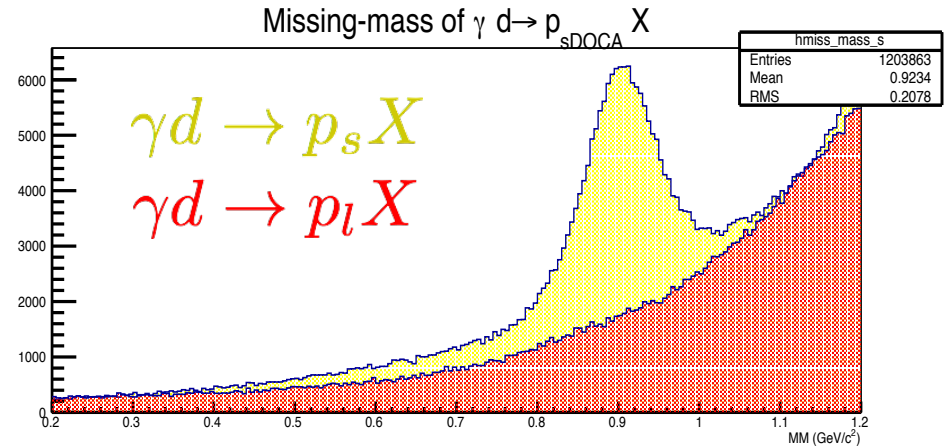
- CLAS start counter as analysing medium
- Two **proton** final state
 - > Incident neutron vector from kinematics & intercept of scatter track with SC
 - > Scatter vector from CLAS drift chambers



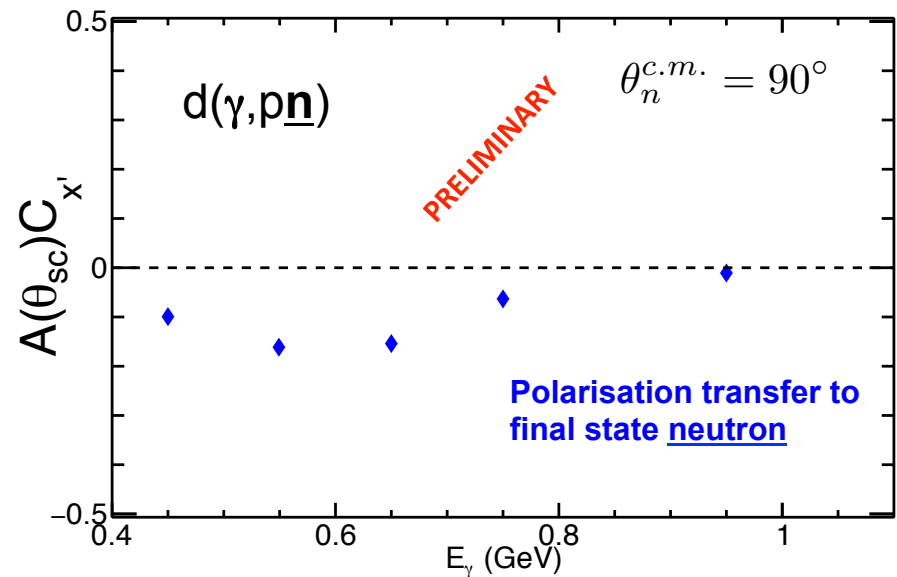
g13 Experiment@CLAS
 Liq D₂ target 40 cm long
 Circular (g13a) 20 triggers
 Linear (g13b) 30 triggers



Analysis of Zachariou (Edinburgh)



p_s smallest DOCA Proton
 p_l largest DOCA Proton



- Next step with CLAS data $A(\gamma, \mathbf{NN})$

Physics -> Test Glauber predictions, HHC in medium, .. (more?)
 Evolution of transferred/induced nucleon polarisation with A , E_γ
 Analysing powers may cancel to first order in ratios of targets ✓
 Glue-X possibilities?

- Use in future experiments at CLAS12, .. ?

Wide range of kinematic variables ($Q^2, \omega, x..$) in one experiment ✓

Gives access to neutron (as well as proton) polarisation ✓

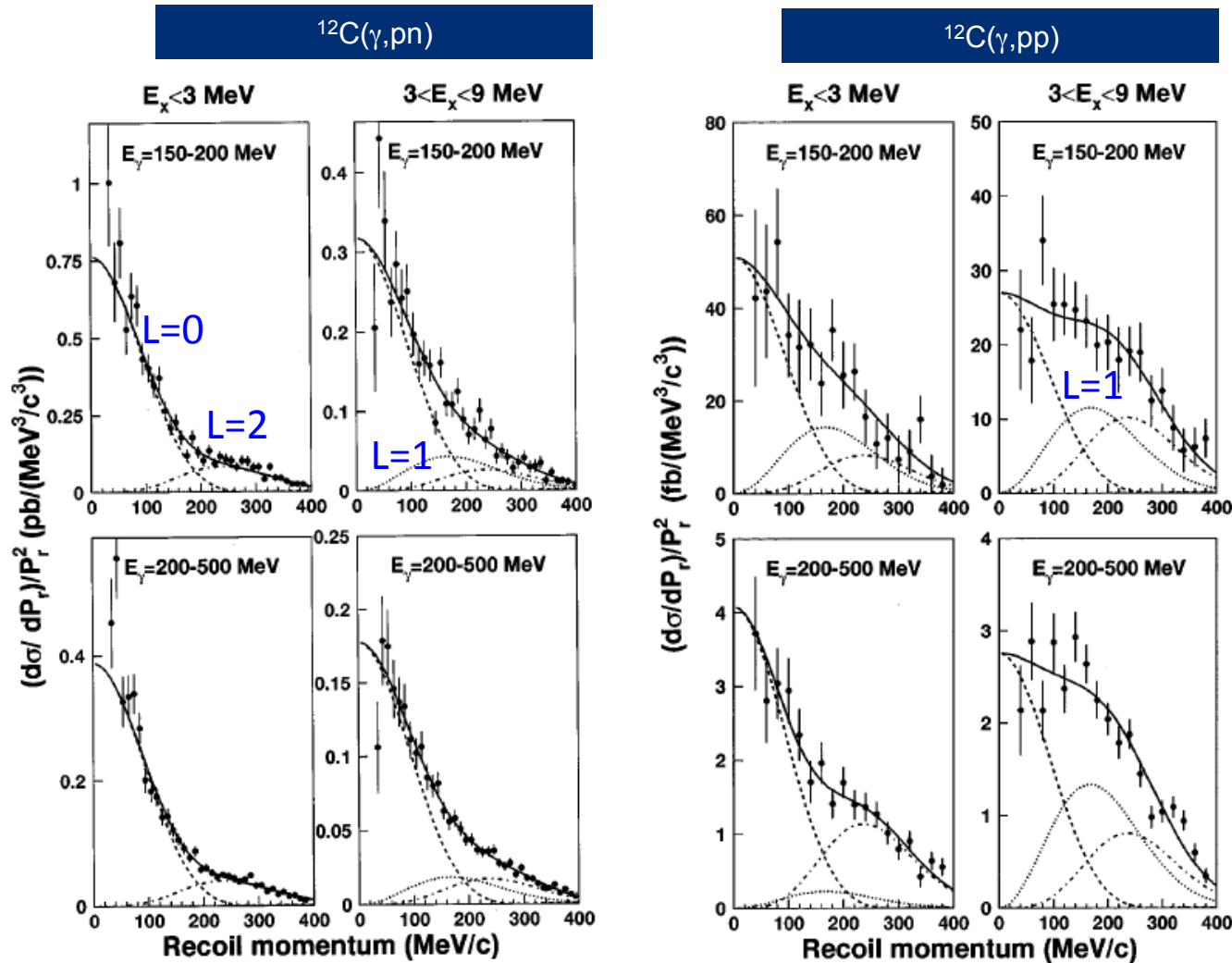
Transferred polarisation (likely) only measurable transverse to the nucleon scatter plane ✗

- Worth the effort? Need steer from theory

$$\frac{P_x}{P_z} = -\frac{2M_p}{(E + E') \tan(\theta/2)} \frac{G_E^p(Q^2)}{G_M^p(Q^2)}$$

(γ, NN) revisited

$^{12}\text{C}(\gamma, \text{NN})$ @ MAMI – pair momentum distributions



- Q distribution sensitive to

Relative pair momentum (s- wave, p-wave, d-wave)

Final state of (A-2) nucleus

Contributing shells – e.g. (1s)(1p) narrower and at higher Q than (1p)²

True for mean field.
SRC nucleons?

$^{12}\text{C}(\gamma, pn)$ – high Q excess

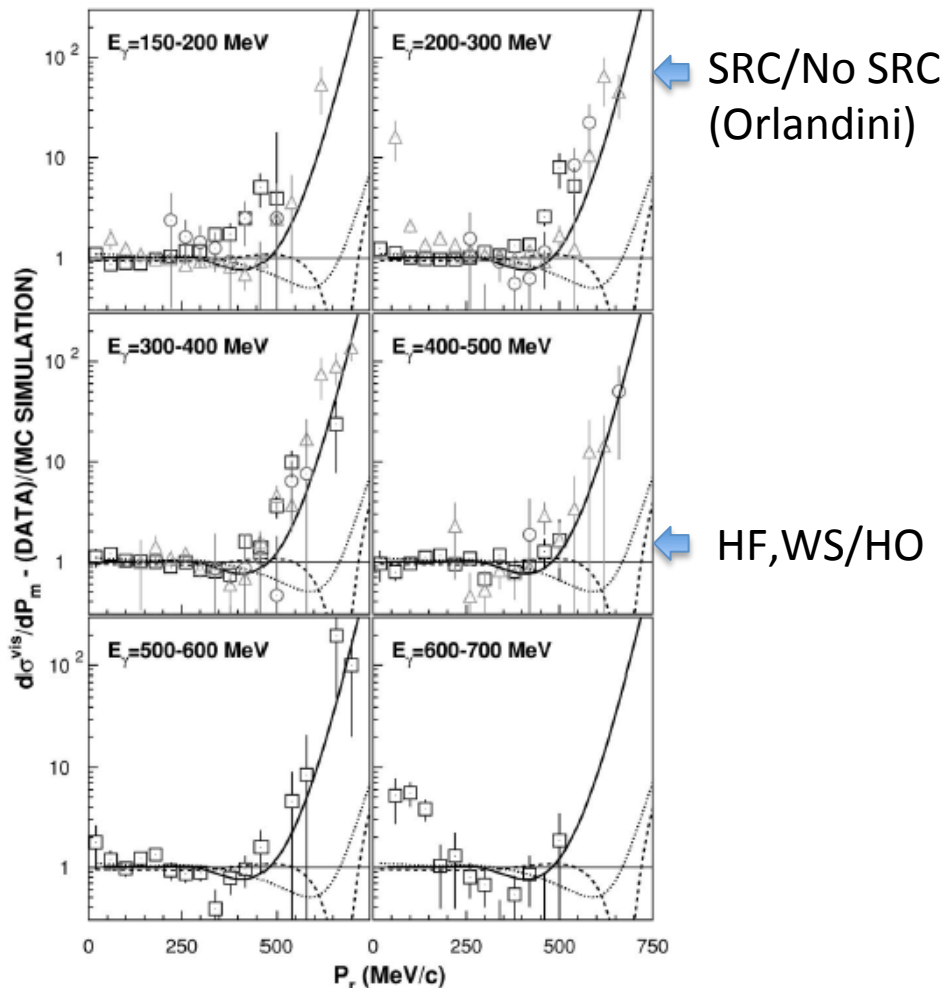
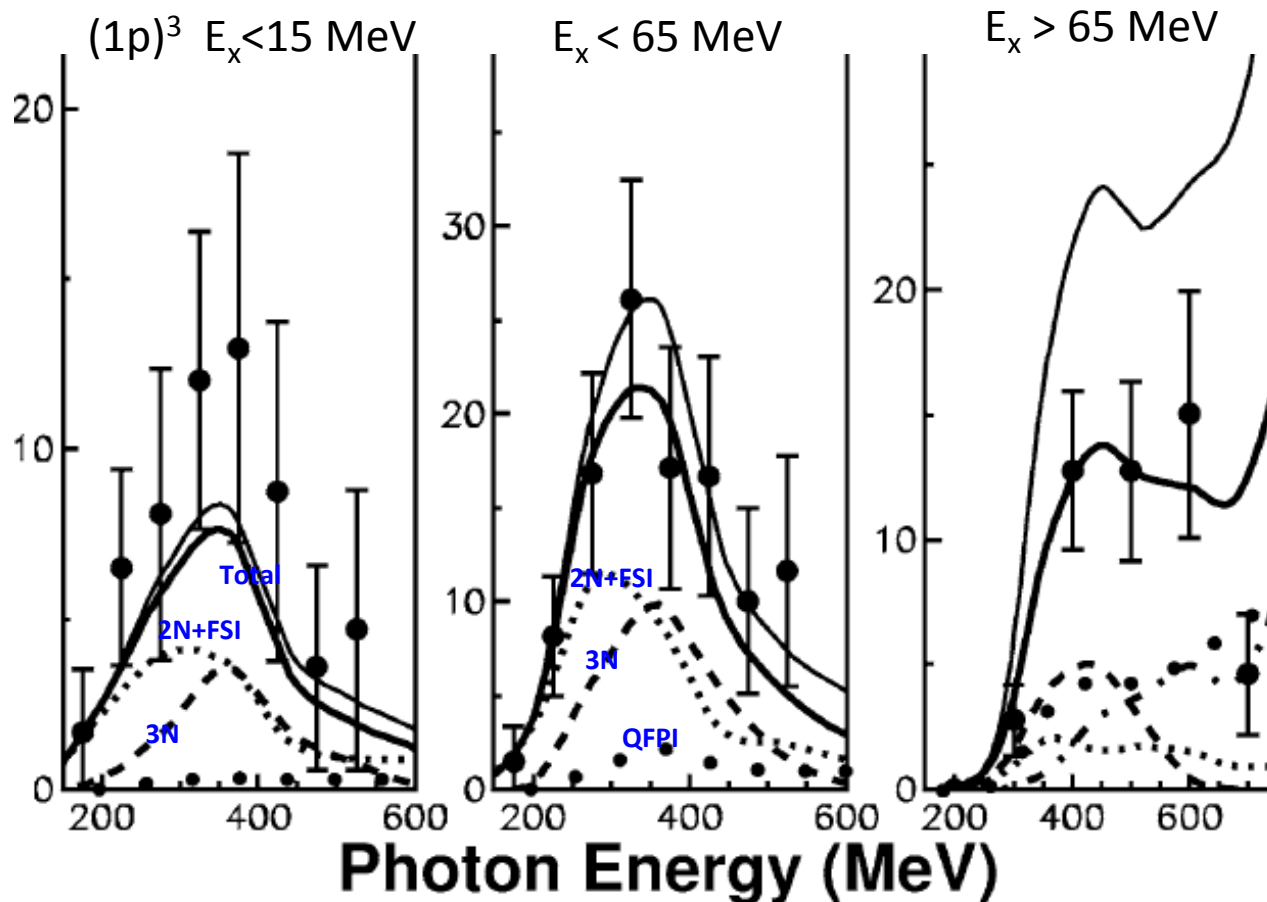


FIG. 10. Recoil momentum distributions for $^{12}\text{C}(\gamma, np)$ for $E_m \leq 40$ MeV presented as a ratio to the $2N$ knockout MC predictions. The plot shows data from the kinematic regions I (squares), II (triangles), and III (circles) described in the text. The solid line shows the ratio of the pair momentum distribution obtained with SRC's to that calculated without SRC's for ^{16}O [8]. The dotted (dashed) lines show the ratio of the P_r distribution predicted using Hartree-Fock (Woods-Saxon) wave functions (with no SRC's) to that using HO.

- Clear excess at high Q over mean field (selecting $(1p)^2$ knockout)
- Excess rather uniform for different photon energy ranges, kinematics (different reaction mechanisms, different nucleon energies, different phase space)
- Is comparison possible with the new more detailed theories?
- Can other processes fool us? e.g. $2N + \text{FSI}$

Photoinduced 3-nucleon knockout $^{12}\text{C}(\gamma, \text{ppn})$

- Comparison with Valencia model
 - > Suggestion of direct 3-nucleon knockout (3N) contribution
 - > Significant 2N+FSI and $\text{QF}\pi + (\pi, 2\text{N})$



← All include kinematic cut to suppress contribution of $\text{QF}\pi$

Summary

- Recoil nucleon polarimetry may be possible – is it worthwhile?
- The $A(\gamma, NN)$ MAMI data may be worth revisiting given the exciting advances in theory in recent years.
- Other ongoing studies - subthreshold Kaon photoproduction from nuclei.

- We are also looking at possibilities for sub-threshold Kaon photoproduction
 Kaon has large mean free path – less sensitive to FSI
 Need forward angle Kaon detection (new weak sub-cluster method)
 Possibility to tag isospin of struck nucleon?
 $\gamma + p \rightarrow K^+ \Sigma^0$ (tag with gamma from sigma decay, **or** proton π^0)
 $\gamma + n \rightarrow K^+ \Sigma^-$ (Tag with π^- or neutron)
- Ratio of these reactions above and below the fermi surface?

TABLE I. Ratio $a_0:a_1:a_2$ obtained from fitting the $^{12}\text{C}(\gamma,np)$ and $^{12}\text{C}(\gamma,pp)$ recoil momentum spectra with the combination $\Sigma_L a_L F_L(P)$ for two excitation regions of the residual nucleus and E_γ regions below and through the Δ resonance. Errors in the fitted parameters are shown in brackets.

	E_γ	$E_X \leq 3 \text{ MeV}$			$3 \leq E_X \leq 9 \text{ MeV}$		
(γ,np)	150–200	0.35(± 0.02):	0.02(± 0.13):	0.63(± 0.07)	0.20(± 0.01):	0.53(± 0.13):	0.27(± 0.07)
	200–500	0.37(± 0.01):	0.01(± 0.10):	0.62(± 0.05)	0.22(± 0.01):	0.43(± 0.08):	0.35(± 0.04)
(γ,pp)	150–200	0.11(± 0.02):	0.59(± 0.29):	0.30(± 0.18)	0.06(± 0.01):	0.54(± 0.17):	0.40(± 0.12)
	200–500	0.15(± 0.02):	0.16(± 0.17):	0.69(± 0.09)	0.06(± 0.01):	0.62(± 0.09):	0.32(± 0.05)

Nucleon scattering and polarisation

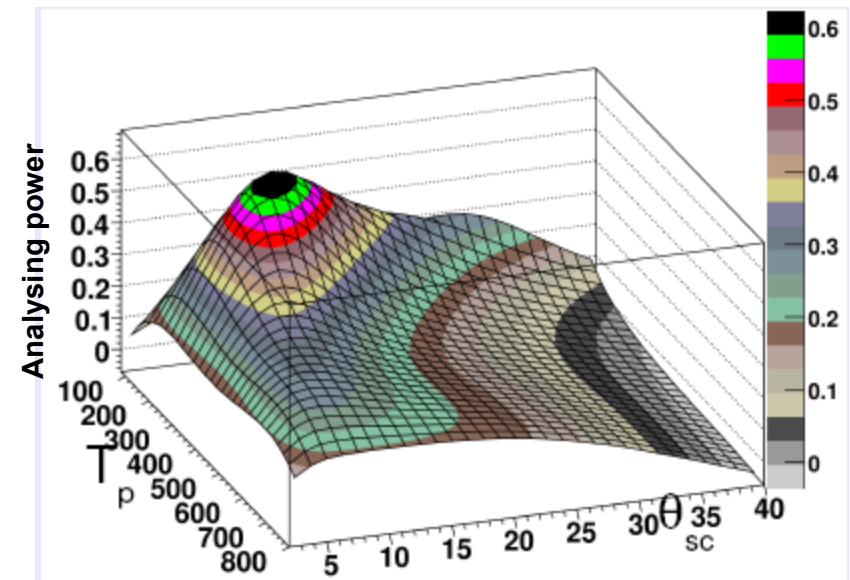
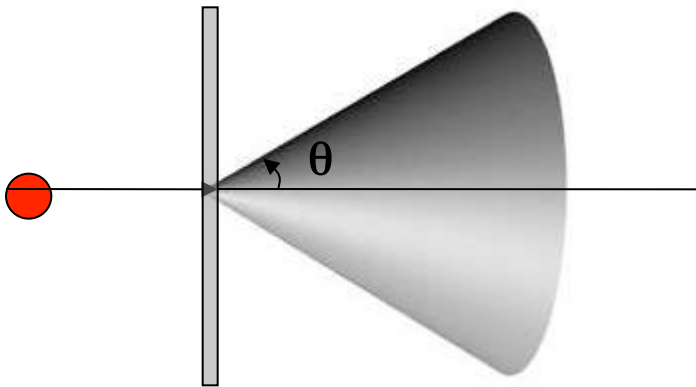
$$n(\theta, \phi) = n_o(\theta) \{ 1 + A(\theta) [P_y \cos(\phi) - P_x \sin(\phi)] \}$$

Number of nucleons
scattered in the
direction θ, ϕ

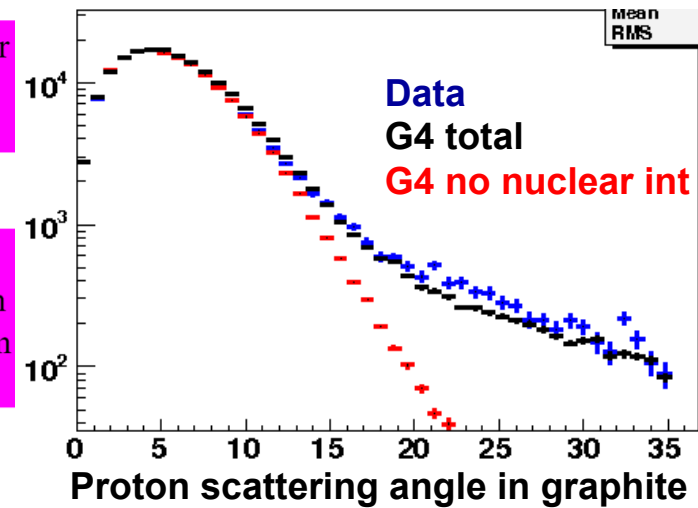
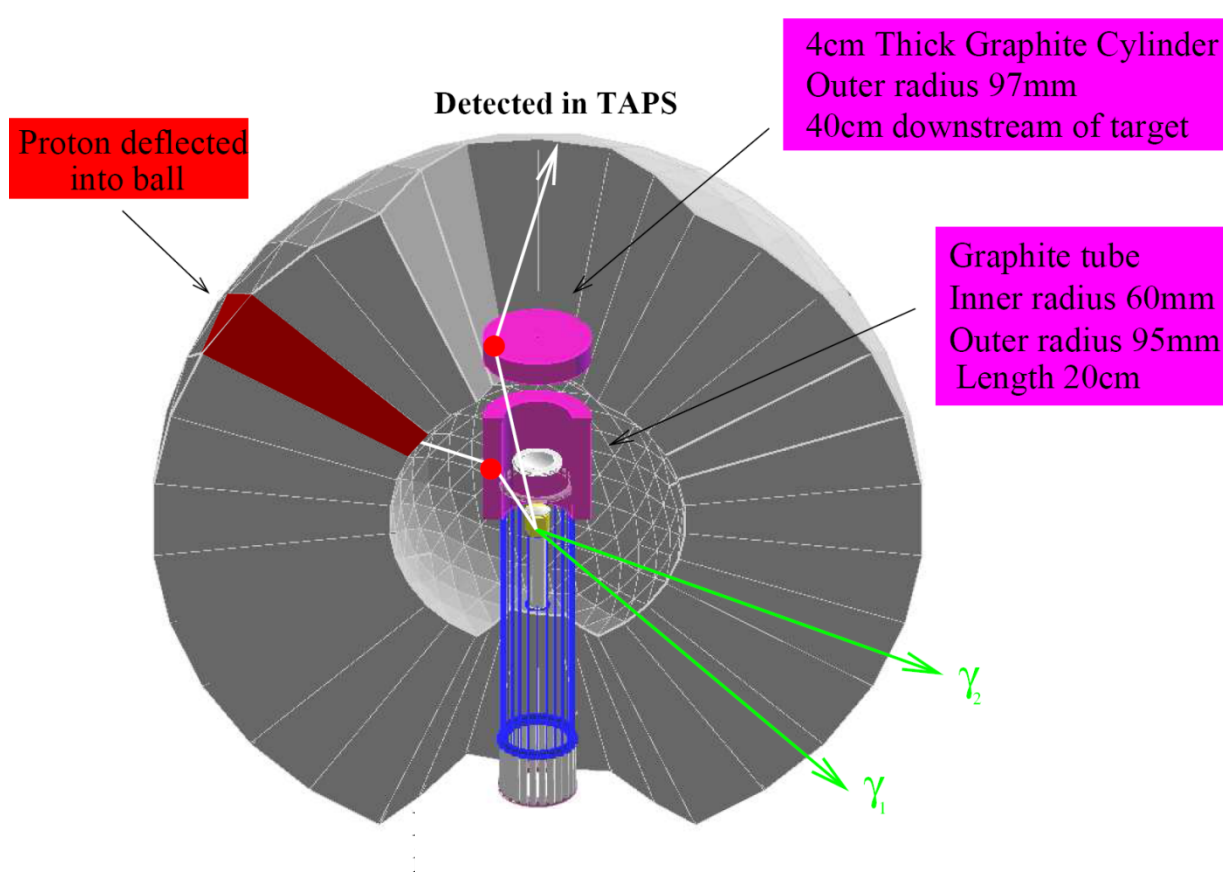
Polar angle distribution
for unpolarised nucleons

x and y (transverse) components
of nucleon polarisation

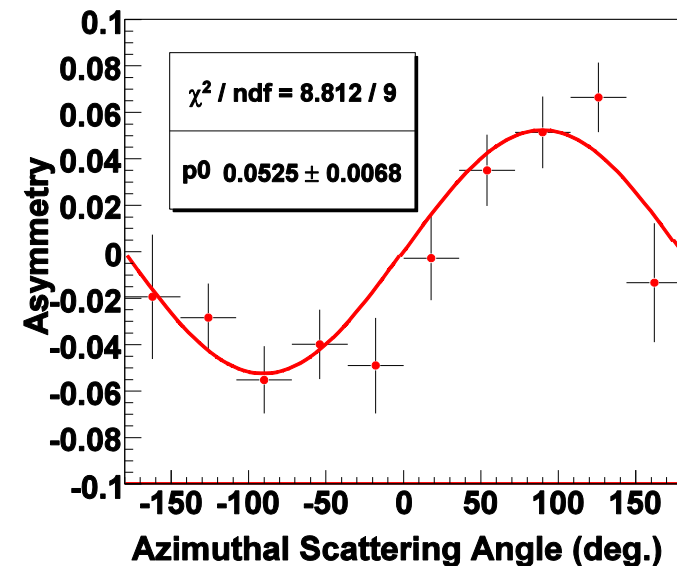
Analysing power of
scatterer



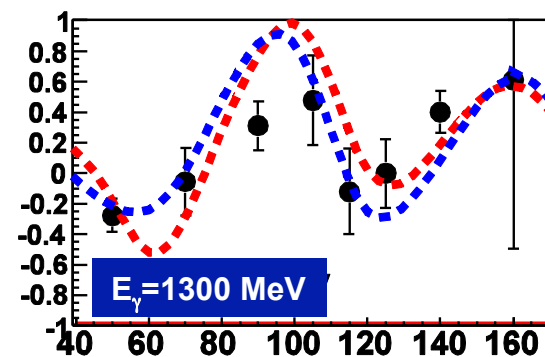
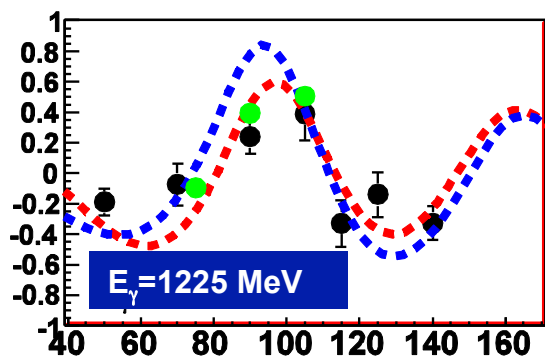
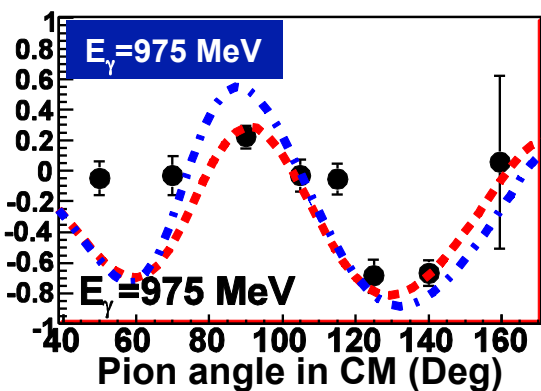
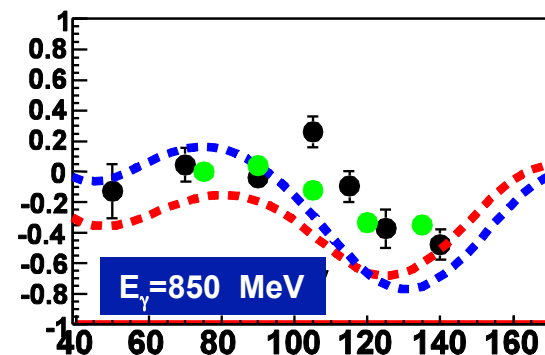
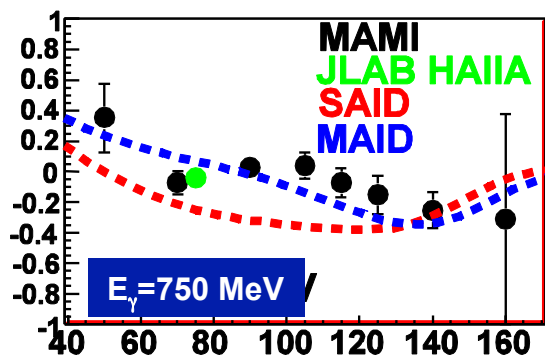
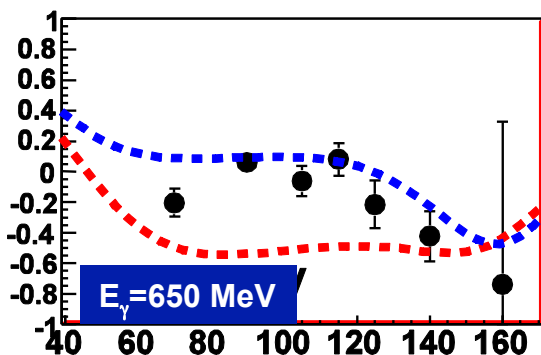
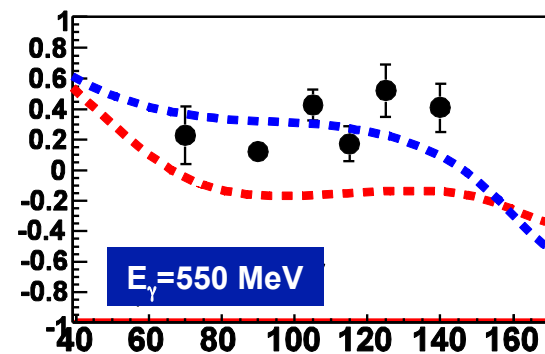
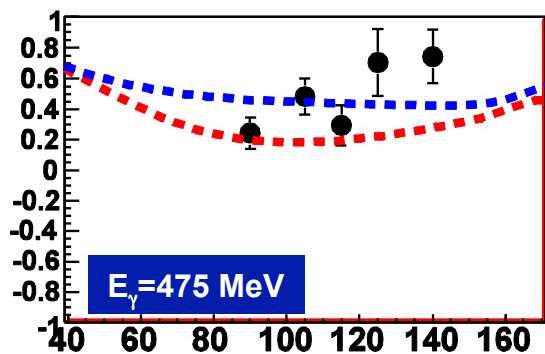
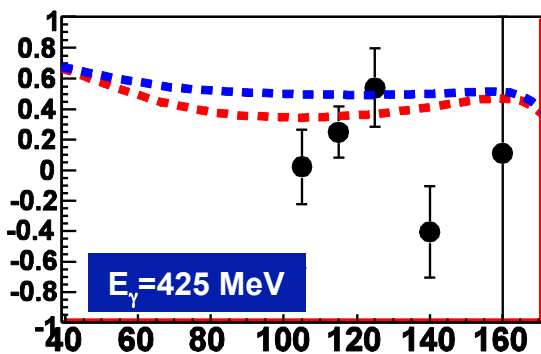
The CB proton polarimeter



$$\frac{N^+(\phi'_p) - N^-(\phi'_p)}{N^+(\phi'_p) + N^-(\phi'_p)} = C_{x'} P_\gamma^{circ} A \sin \phi'_p$$



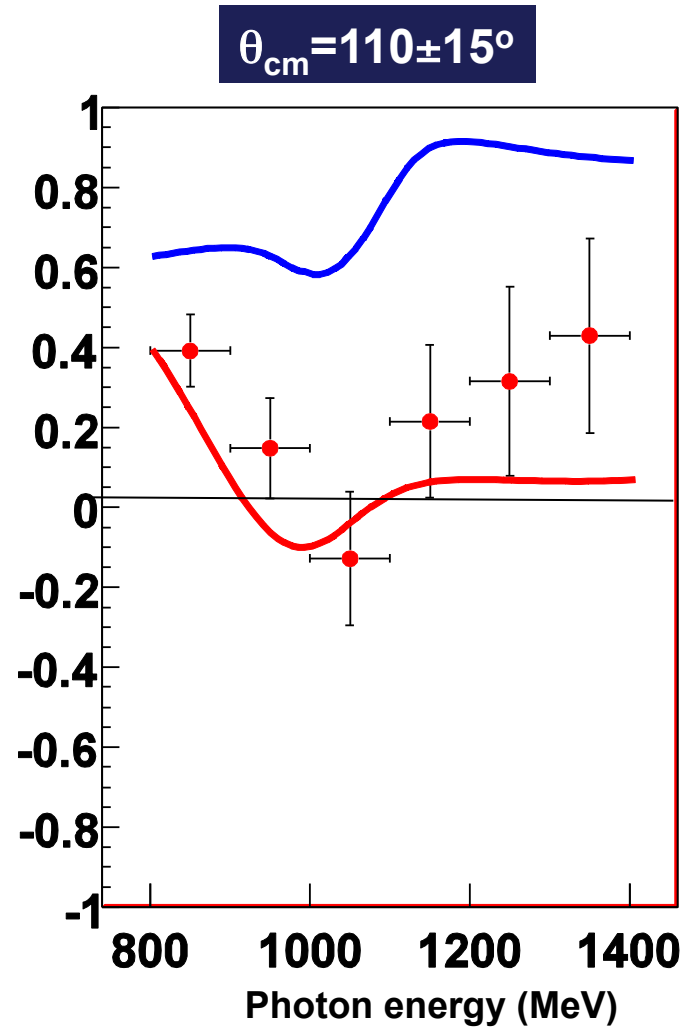
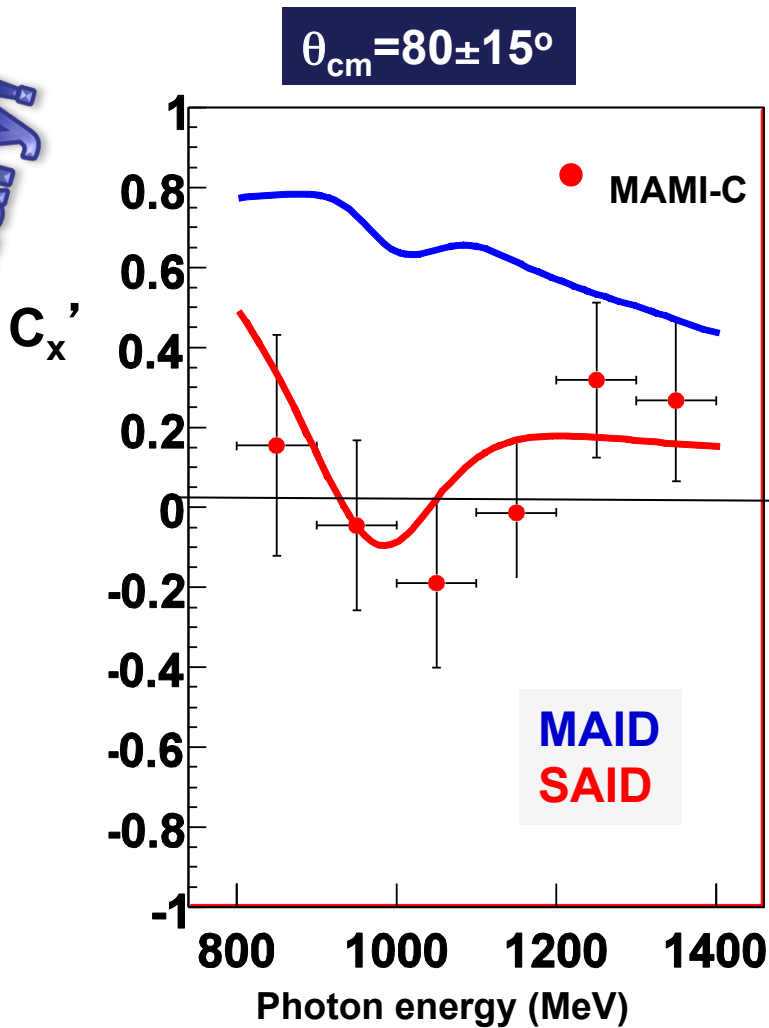
C_x – transferred poln. from circ. pol γ : $\rho(\gamma, \pi^0)\rho$



Preliminary!

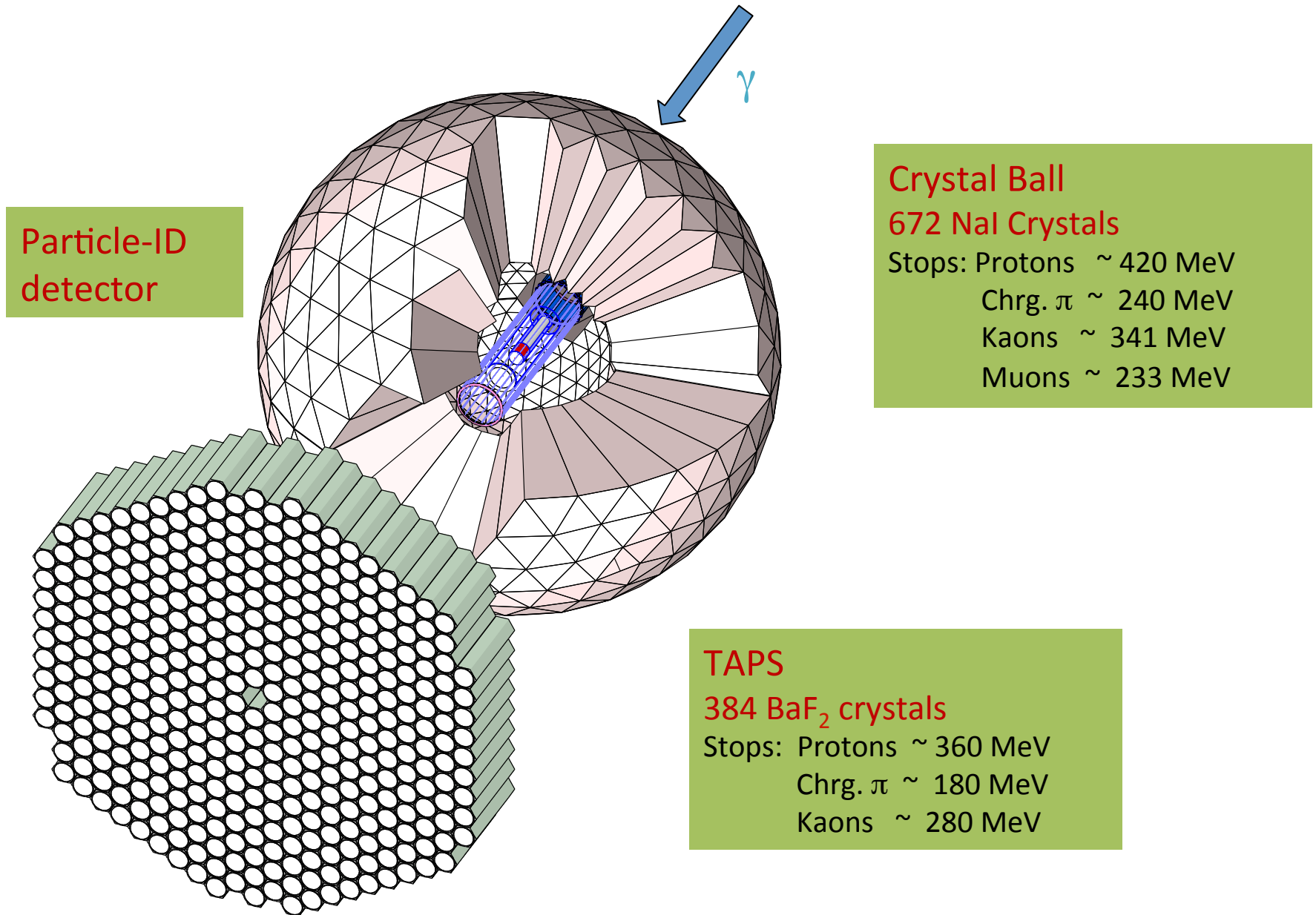
$$p(\gamma,\eta)p \quad C_x'$$

Preliminary!

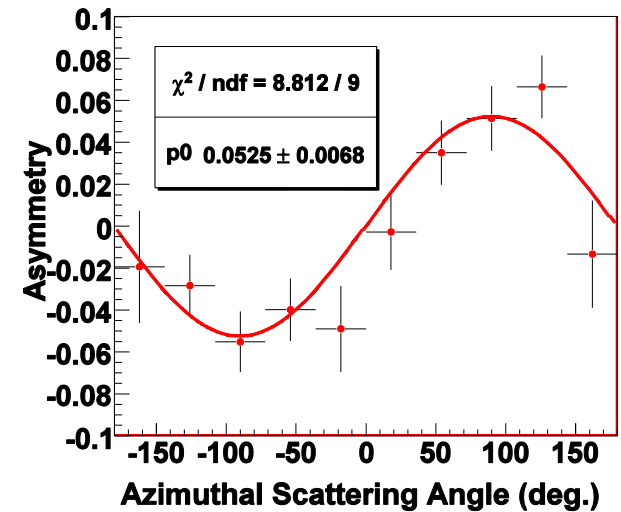
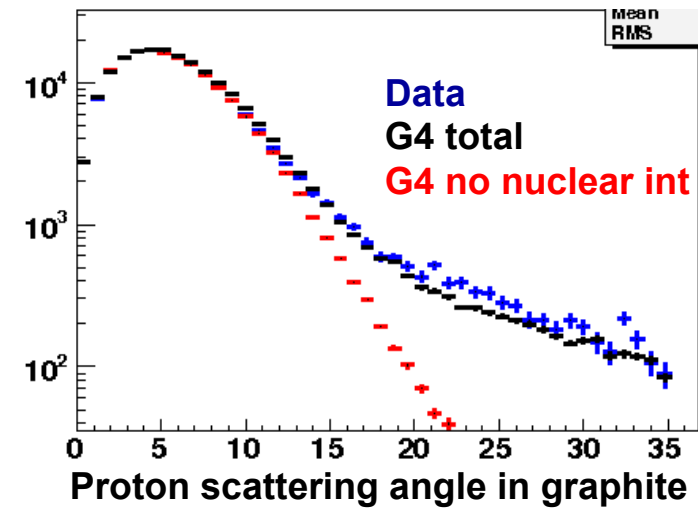
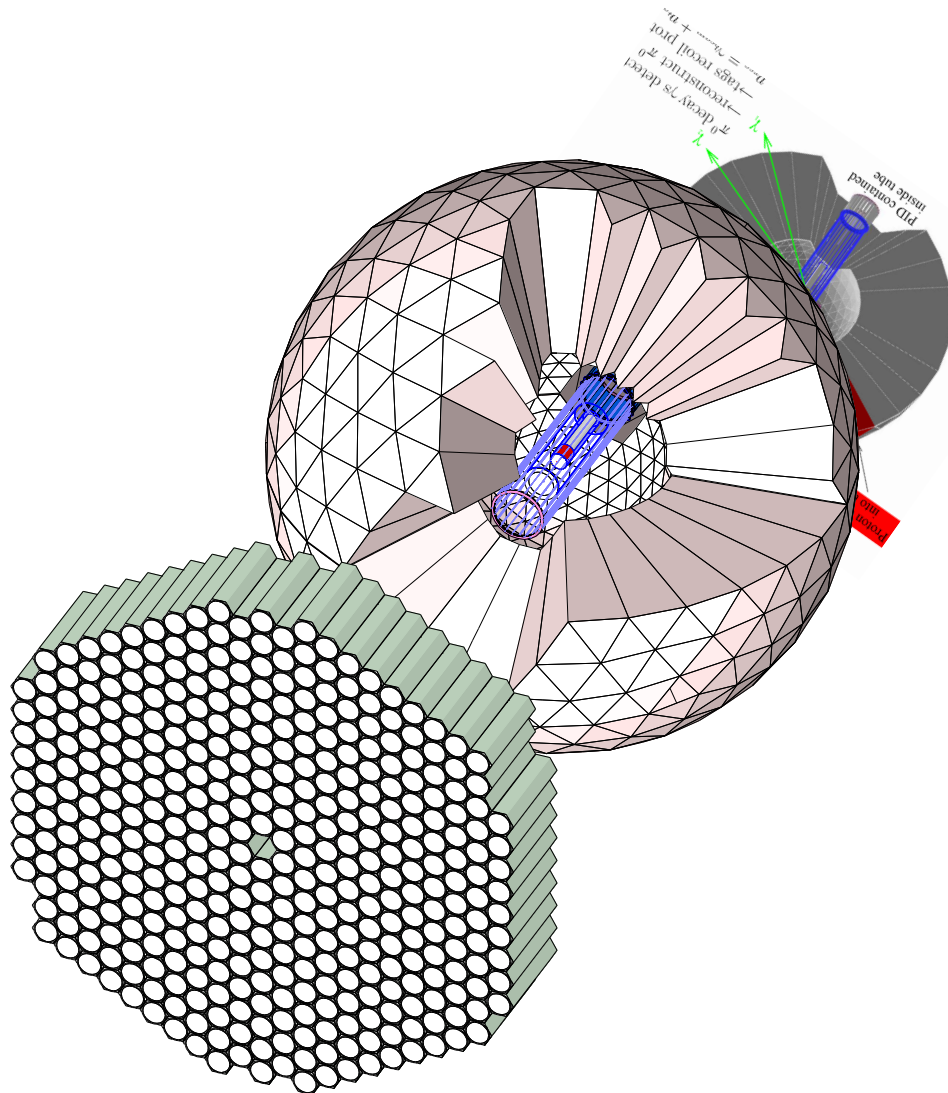


- Next steps O_x , T , P also $p(\gamma, 2\pi)$ and $p(\gamma, \pi\eta)$ channels

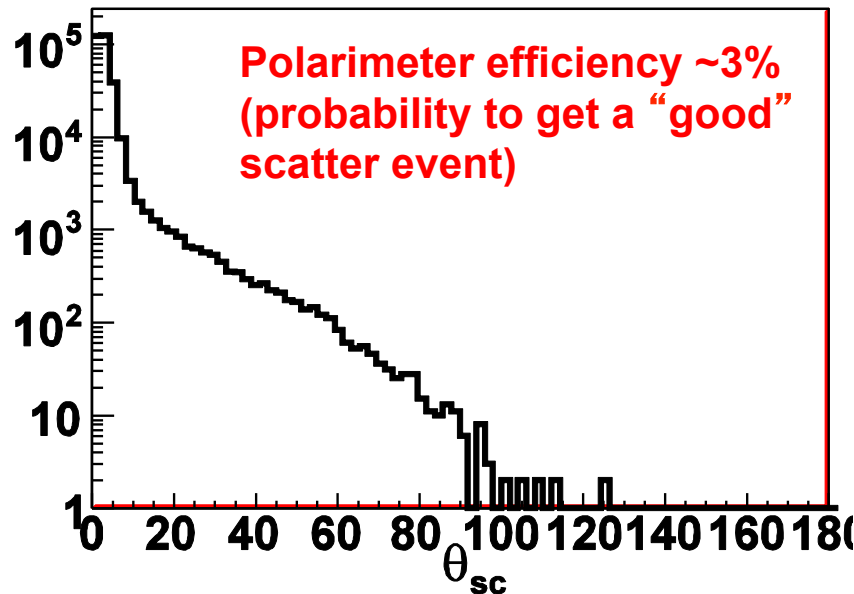
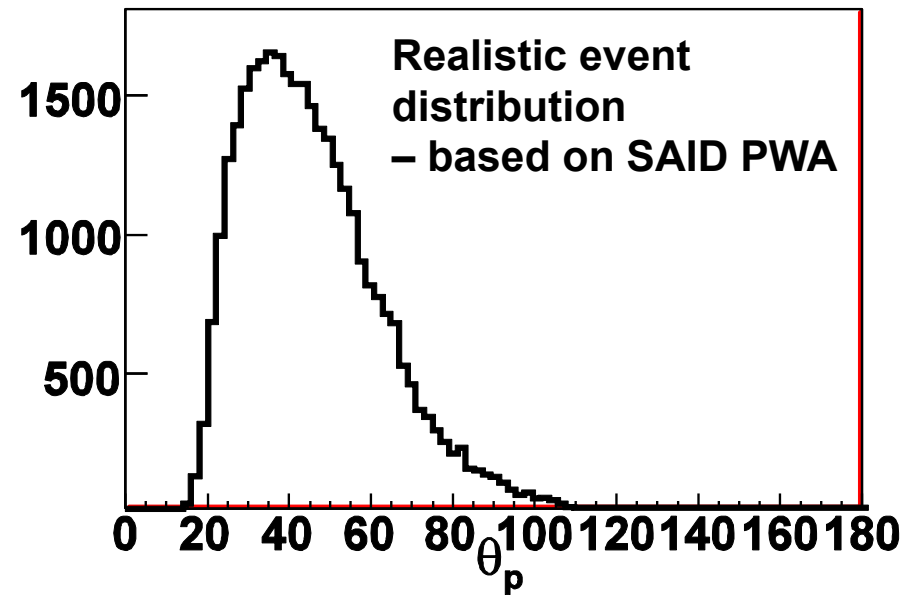
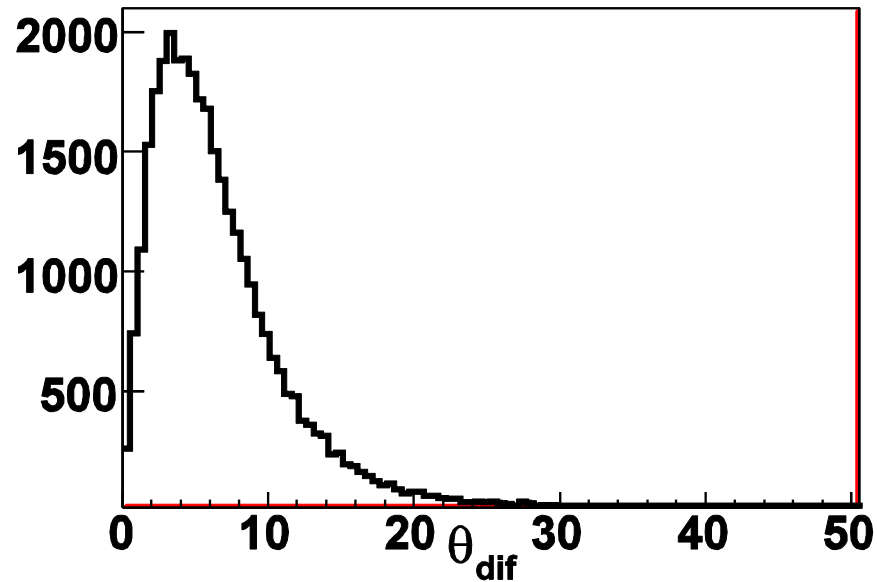
The Crystal Ball and TAPS



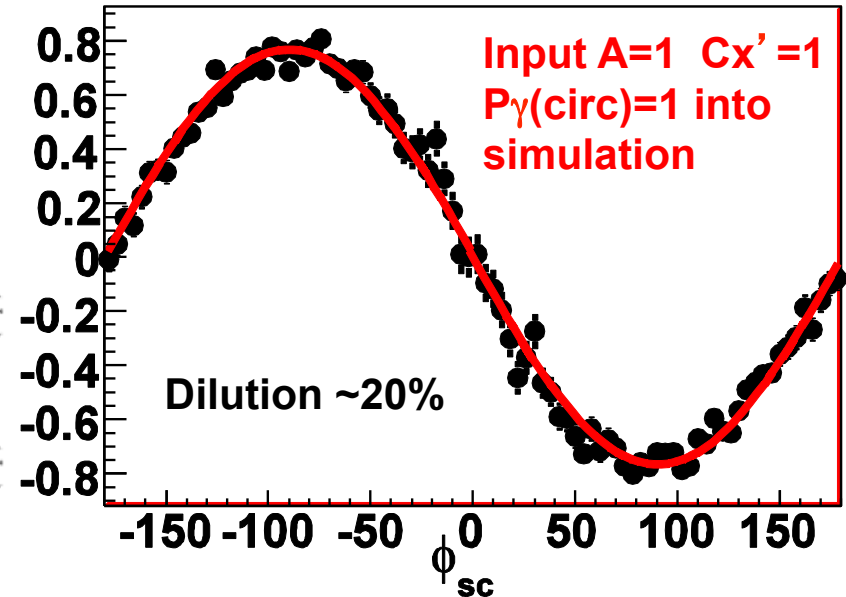
EDPOL1 with CB@MAMI



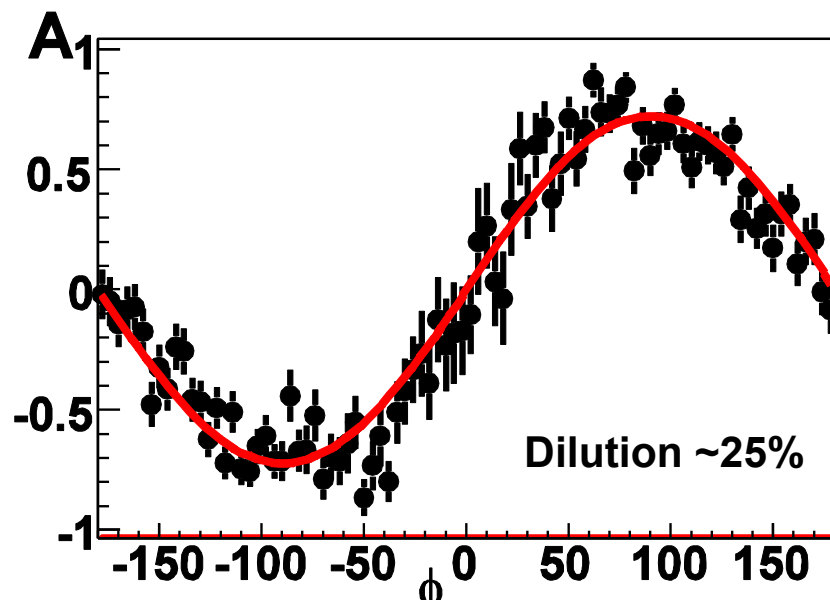
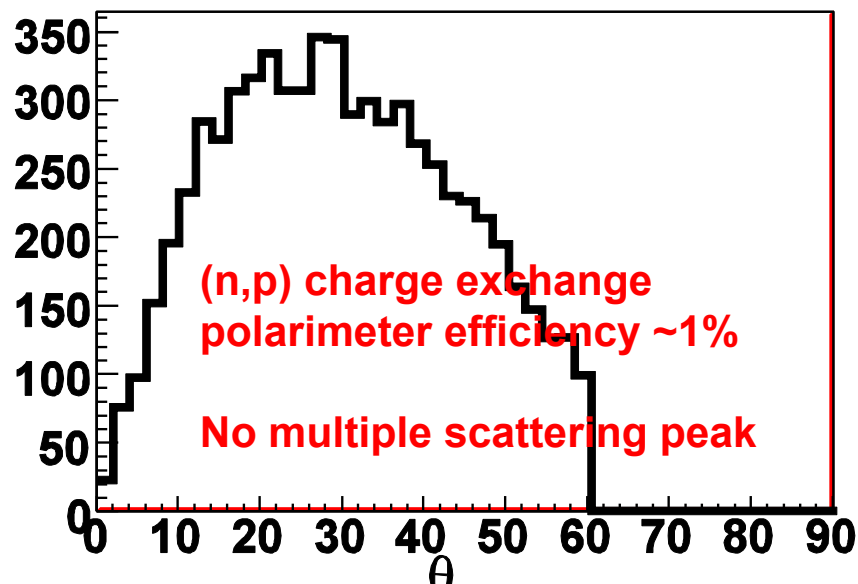
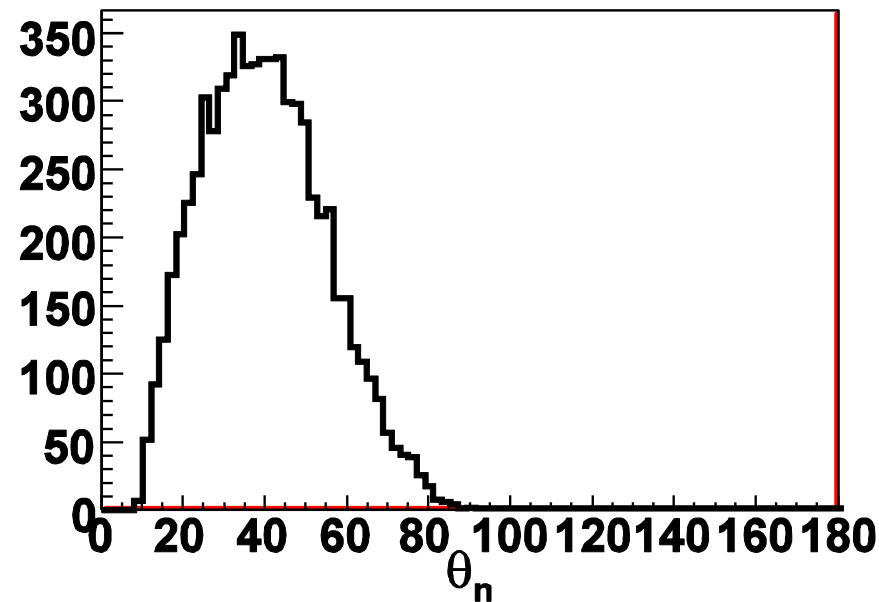
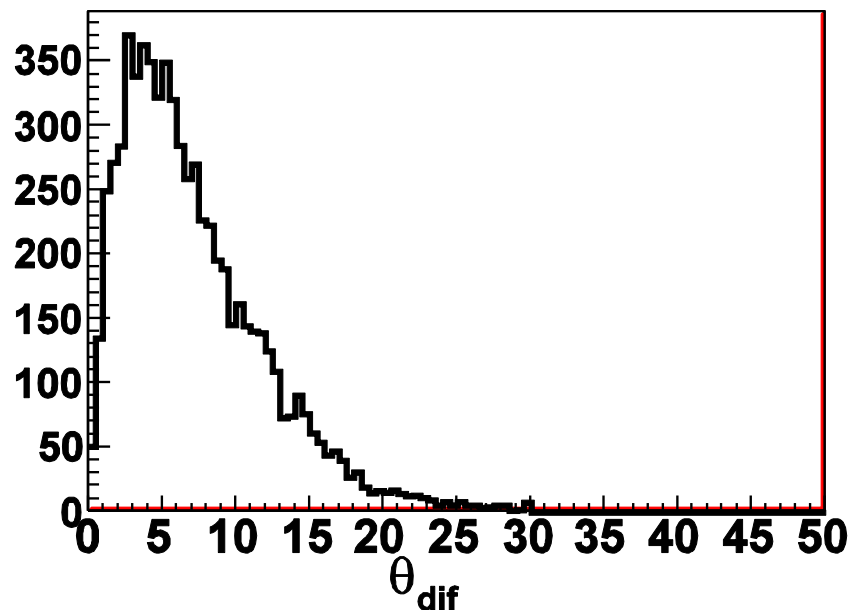
G4 – Stationary proton target: $p(\gamma, \pi^0)p$



$$\frac{N^+(\phi'_p) - N^-(\phi'_p)}{N^+(\phi'_p) + N^-(\phi'_p)} = C_x' P_{\gamma}^{\text{circ}} A \sin \phi'_p$$



G4 – typical (n,p) charge exchange: $p(\gamma,\pi^+)n$



Count rate estimate – as per PAC proposal

γ -flux :	$1.2 \times 10^5 \gamma s^{-1} MeV^{-1}$	
target nuclei	$2.1 \times 10^{23} \text{ nuclei/cm}^2$	
Meson det. eff	$\pi^0 \sim 80\% \quad \eta \sim 35\%$	Analyzing power = ~ 0.2 prot ~ 0.1 neut
DAQ live	$\sim 70\%$	
Polarimeter efficiency	prot 3% neut 1% (G4)	
$d\Omega_{avg}$ for $\theta_{\pi} \pm 10^\circ$	$\sim 2 \text{ sr}$	$d\sigma/d\Omega_{avg} = 3 \mu b/sr$ for π $d\sigma/d\Omega_{avg} = 0.7 \mu b/sr$ for η $d\sigma/d\Omega_{avg} = 0.3 \mu b/sr$ for $D(\gamma, pn)$
Beamtime	950 hours (inc. TO)	

No. of analyzable nucleon scatters = $\frac{d\sigma}{d\Omega_{avg}} \times d\Omega_{avg} \times \gamma \times \text{nuclei} \times \text{daq} \times \text{pol eff} \times \text{meson eff} \times \text{beamtime}$

Channel	$\sigma: O_x/T$	$\sigma: C_x^I$	$\sigma: P$
$p(\gamma, \pi^0)p$	0.06	0.03	0.02
$n(\gamma, \eta)n$	-----	0.2	0.14
$p(\gamma, \pi^+)n$	0.21	0.09	0.04
$n(\gamma, \pi^0)n$	0.21	0.09	0.04
$p(\gamma, \eta)n$	-----	0.1	0.07
$D(\gamma, \underline{p}n)$	0.27	0.08	0.04

For 400 hours errors would be a factor 1.55 larger

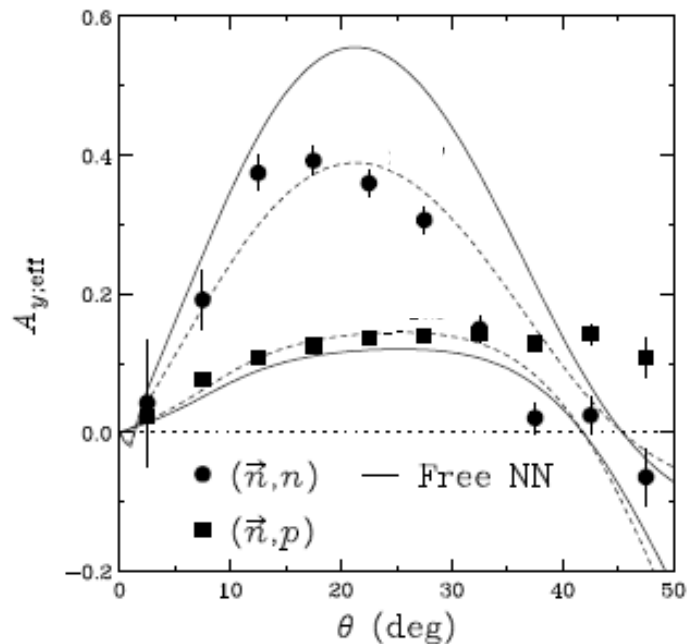
$$\Delta C_x = \sqrt{(2/A^2 N)}$$

$$\Delta O_x = 2 / \sqrt{(A^2 N)}$$

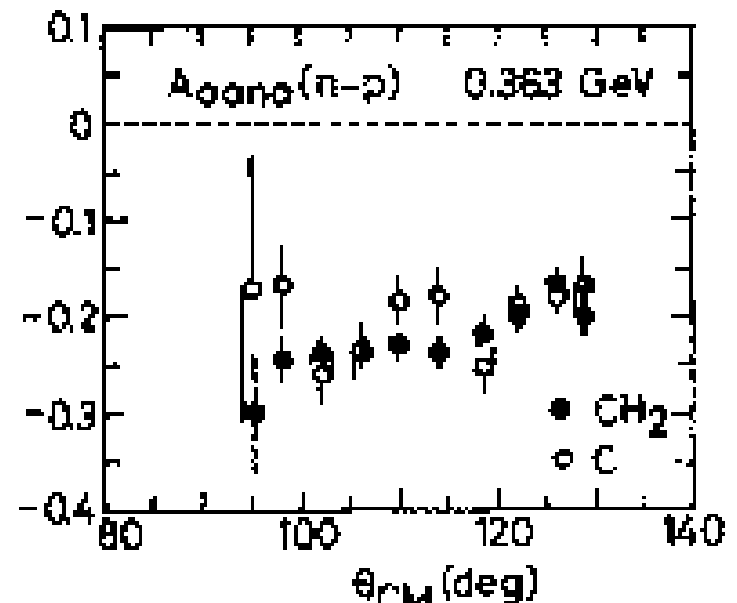
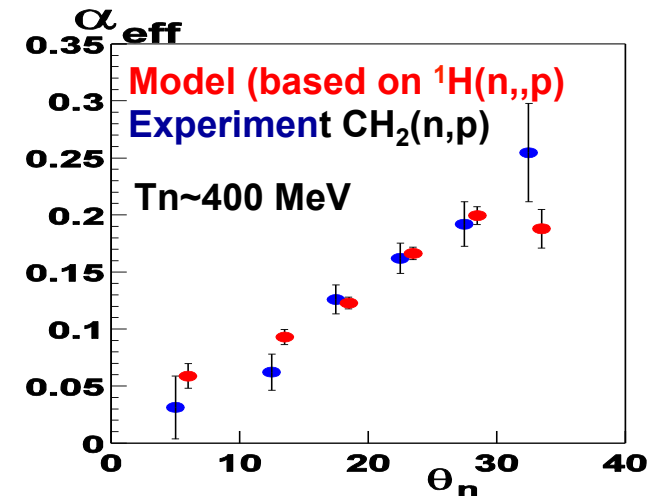
$E_\gamma \text{ bin } \pm 25 \text{ MeV}$
 $\theta_{\pi/N} \text{ bin } \pm 10^\circ$

Analysing powers for $^{12}\text{C}(n,p)$ scattering

- Previous polarimeters (e.g. Yerevan) use $^1\text{H}(n,p)$ analysing powers for $^{12}\text{C}(n,p)$.
- Supported by recent RCNP measurements, older Saclay data, A1 at MAMI



Wakasa et. al. NIM A547 (2005) 269
NPOL3 at RCNP Cyclotron



Saclay measurements

