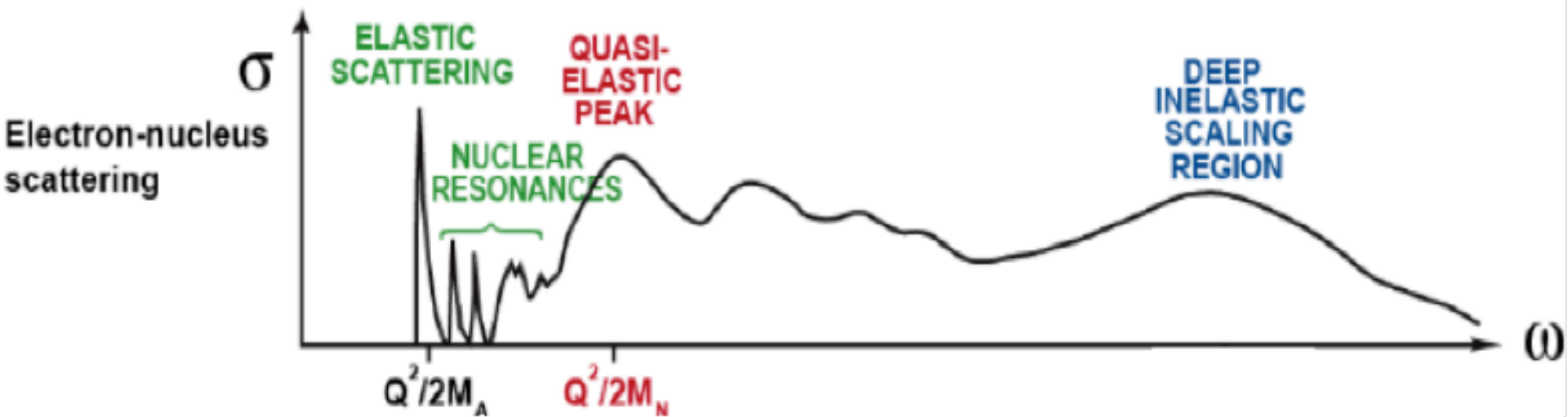
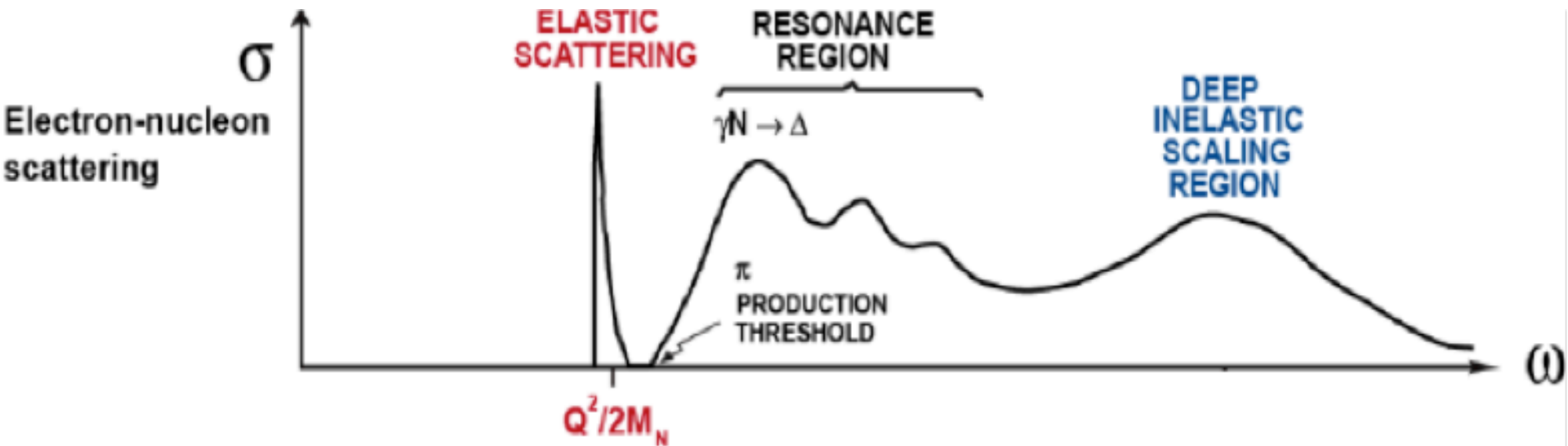


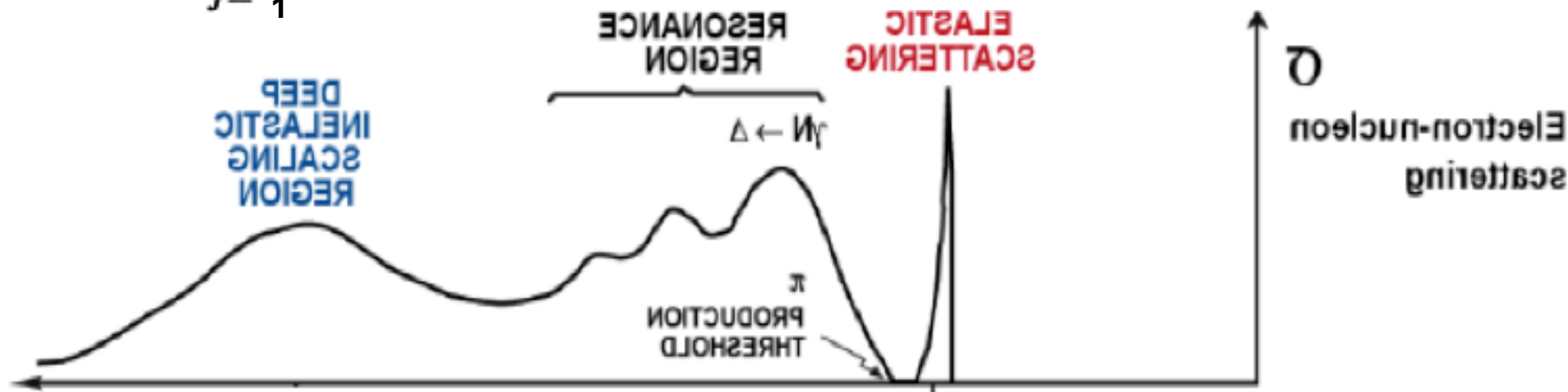
Inclusive studies of 3N-SRCs

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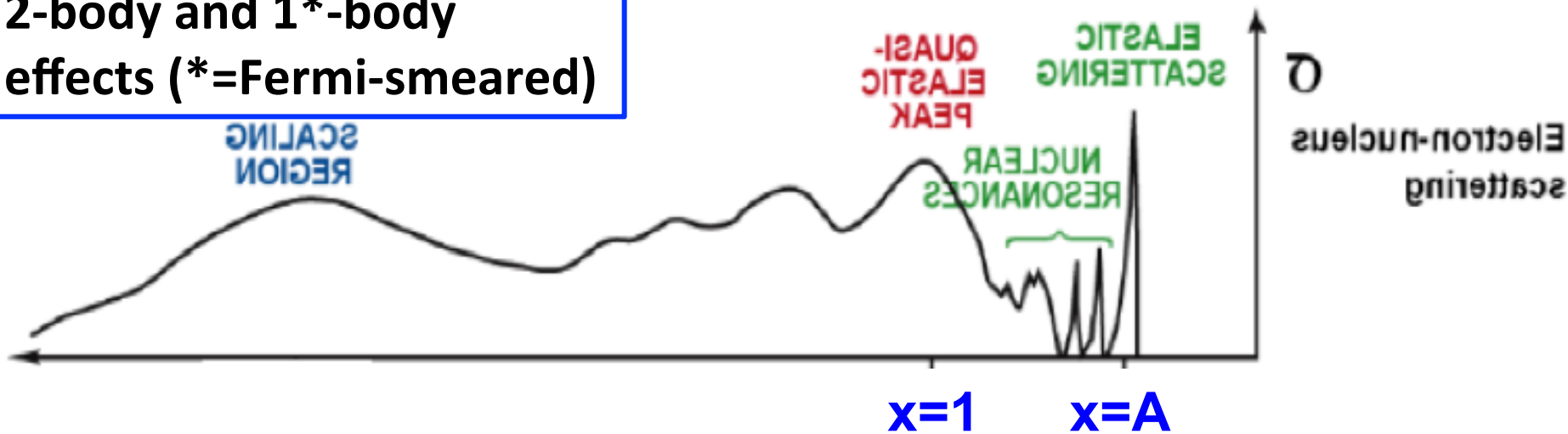




$$\sigma(x, Q^2) = \sum_{j=1}^A A \frac{1}{j} a_j(A) \sigma_j(x, Q^2)$$



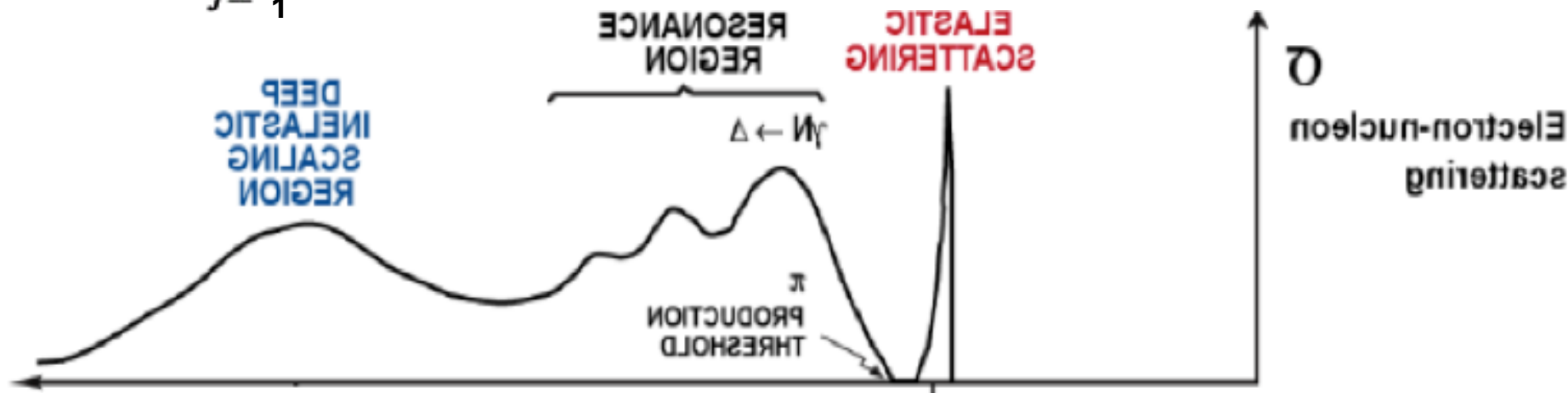
1 < x < 2 is combination of 2-body and 1*-body effects (*=Fermi-smeared)



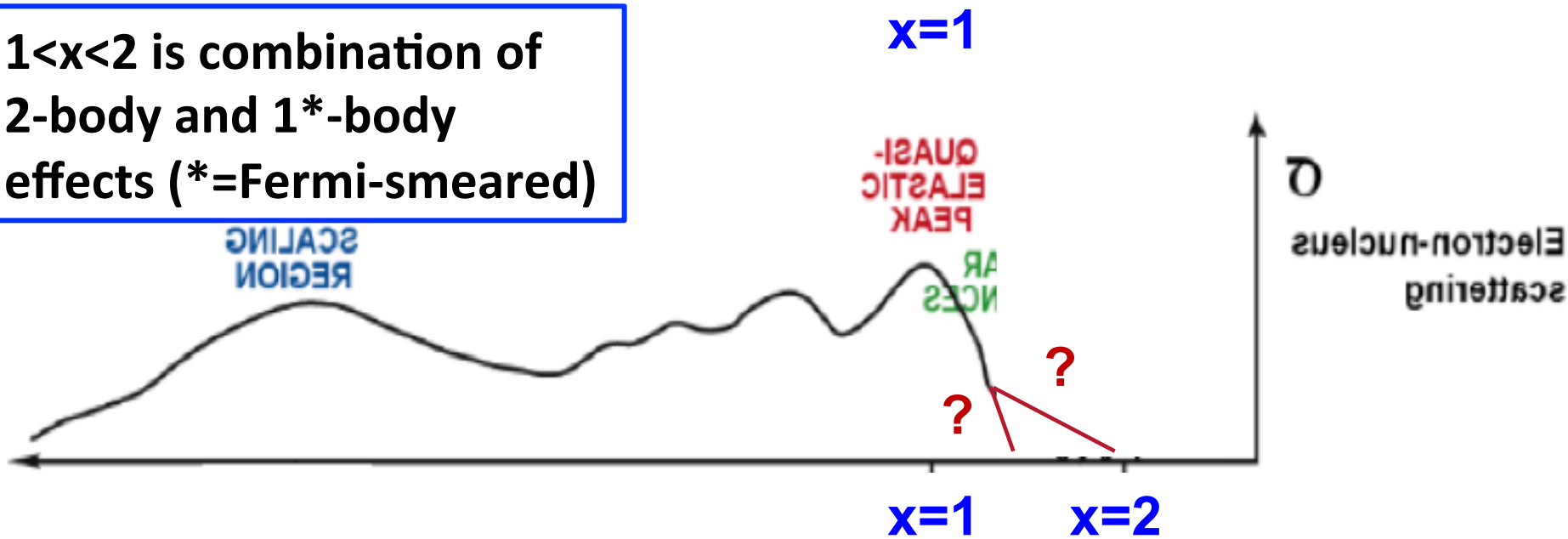
Log-ish(x_{Bj})



$$\sigma(x, Q^2) = \sum_{j=1}^A A \frac{1}{j} a_j(A) \sigma_j(x, Q^2)$$



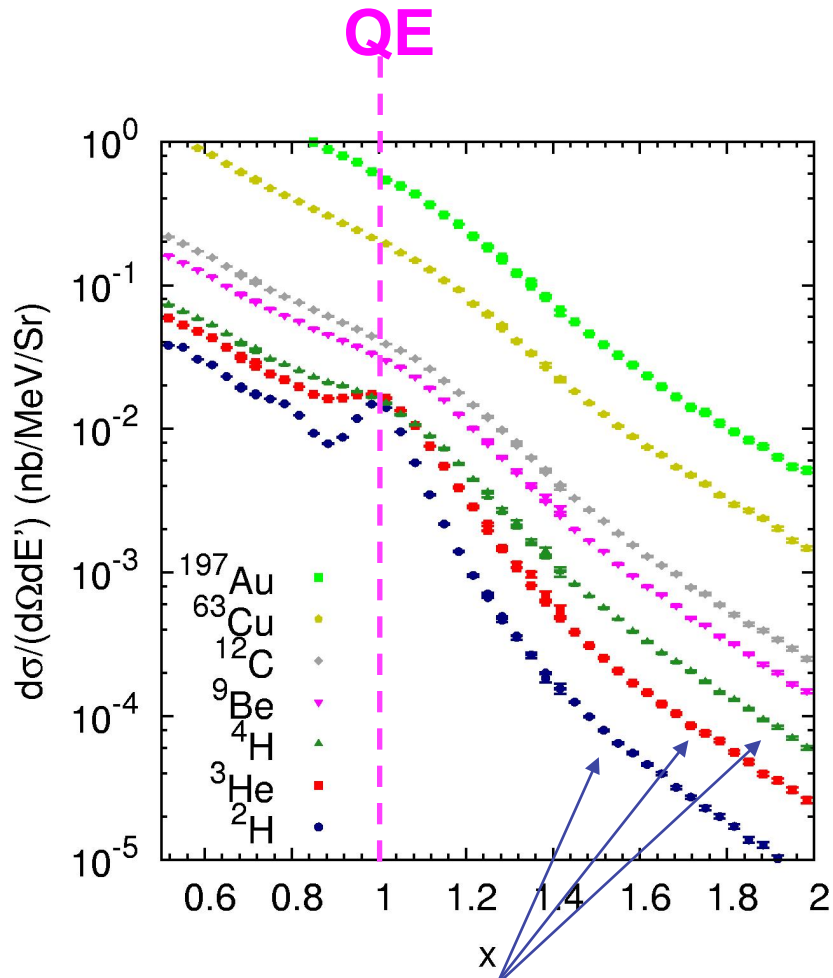
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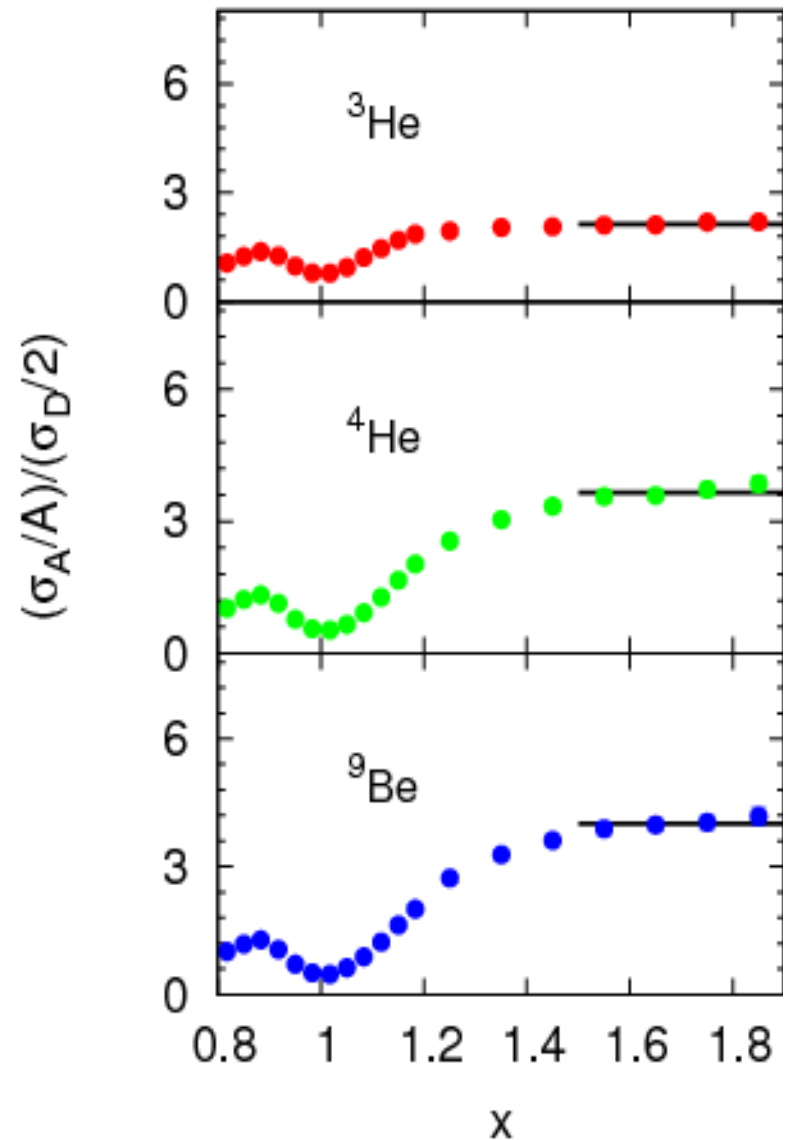
Log-ish(x_{Bj})



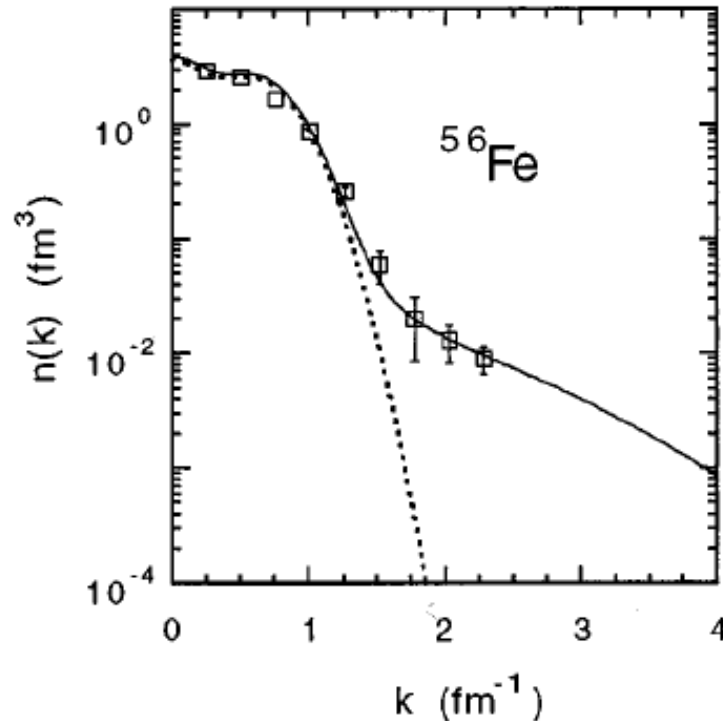
If two-body physics (SRCs) dominate beyond some value of x ; $\sigma_A \sim \sigma_2$ independent of x , Q^2



High momentum tails should yield constant ratio if SRC-dominated



2N plateaus if (1) negligible 1-body contributions

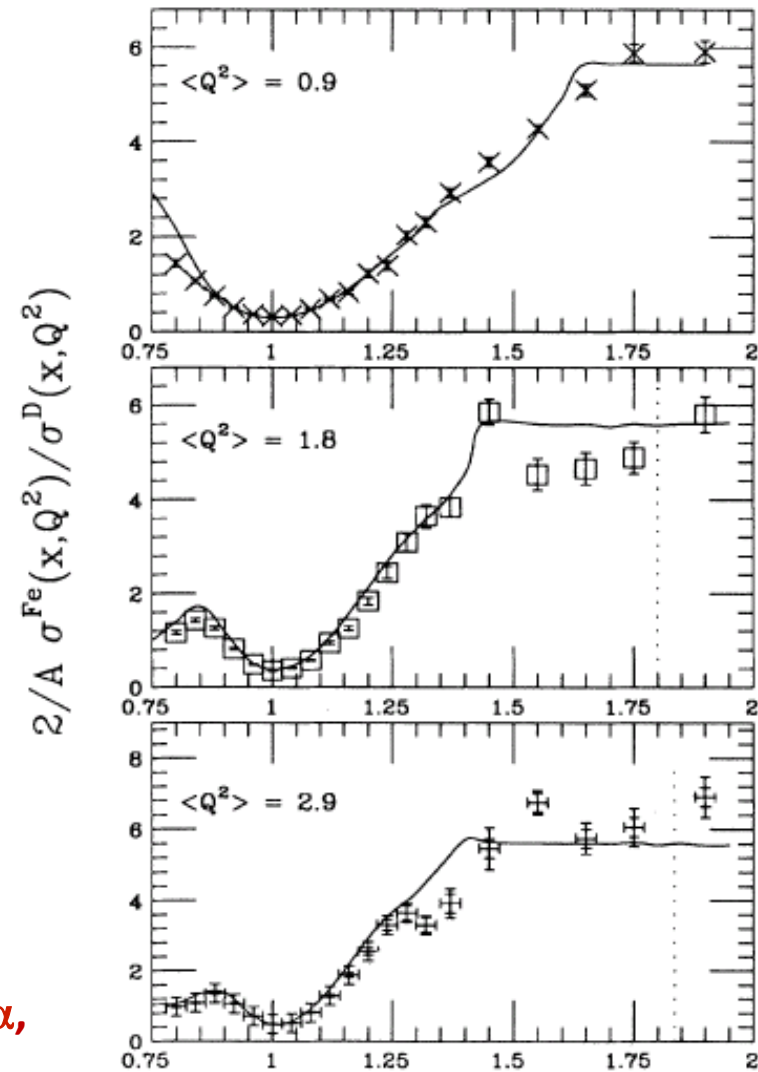


Onset of scaling can be estimated simply from Fermi momentum.

1*-body contributions disappear earlier in x as Q^2 increases. Low $Q^2 \rightarrow$ very limited scaling region.

Note: largely Q^2 independent as function of light code α , but α can't be reconstructed in inclusive scattering for

$A > 2$



2N plateaus if (1) negligible 1-body contributions (2) existence of identical 2N-SRCs in A and ^2H

Cross section for deuteron goes to zero as $x \rightarrow$ kinematic limit ($x \approx 2$)

Even if SRC is internally identical to deuteron, motion of SRC in nucleus will extend strength to $x > 2$

$A/D \rightarrow \infty$ as you approach $x=2$

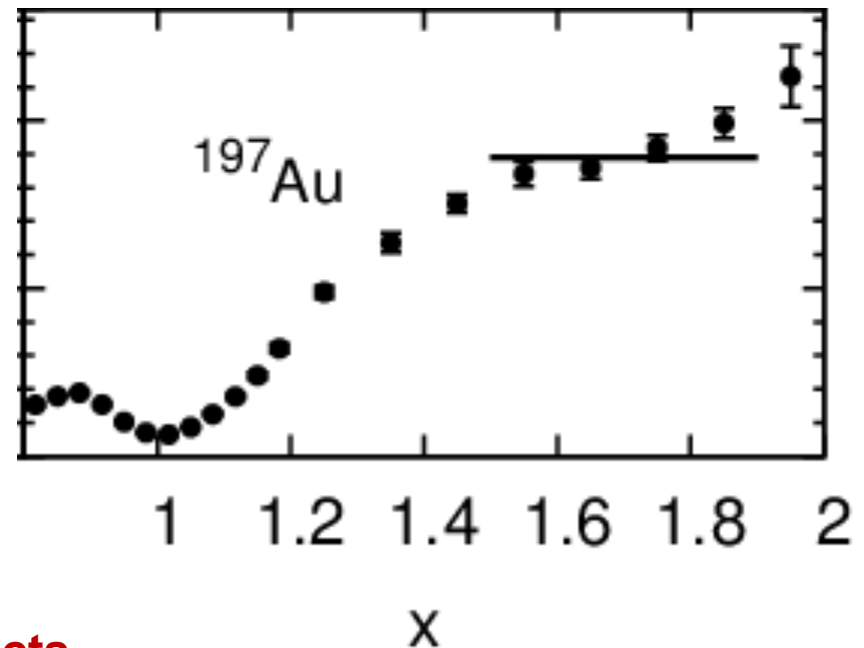
Good news: this effect is relatively small below $x=1.8-1.9$

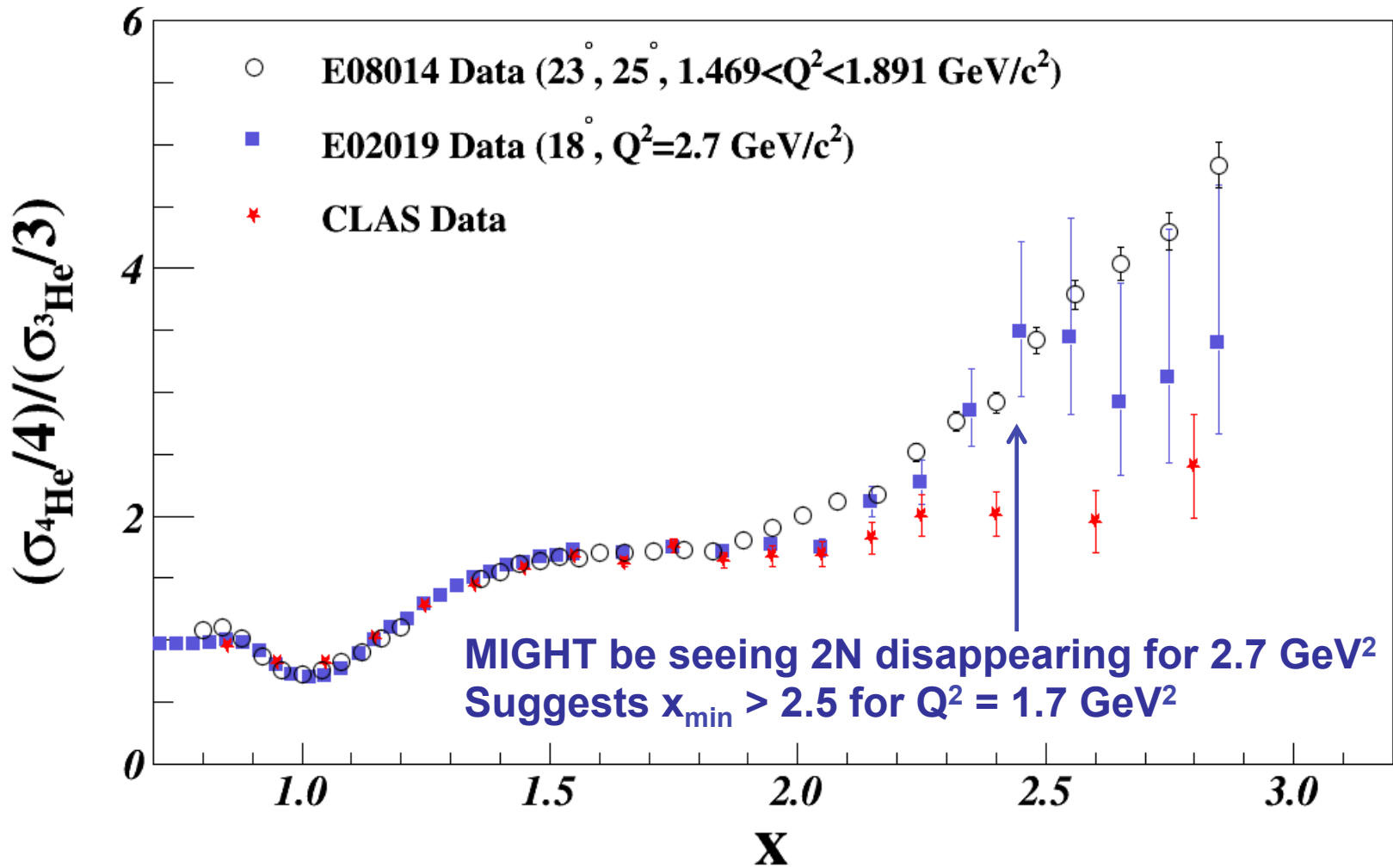
Plateau for $(x_{\min} \approx 1.5) < x < (x_{\max} \approx 1.9)$

3N SRCs in $A/{}^3\text{He}$ ratios??

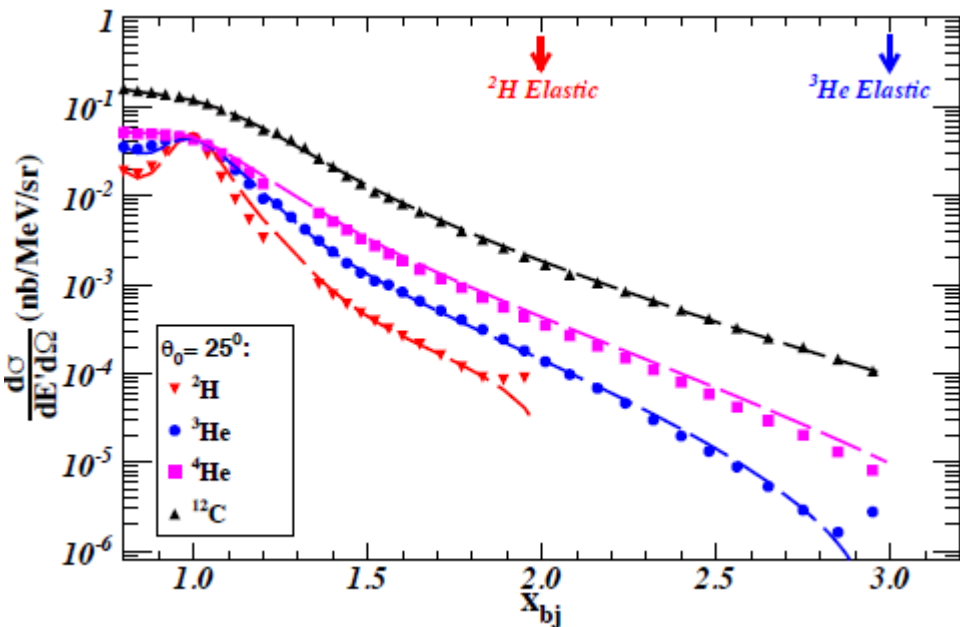
$x > x_{\min} (>2)$ and high Q^2 for 2N to die out
 $x < x_{\max} (<3)$ to avoid ${}^3\text{He}$ “smearing” effects

Not obvious that such a region exists, until CLAS showed scaling in $A/{}^3\text{He}$



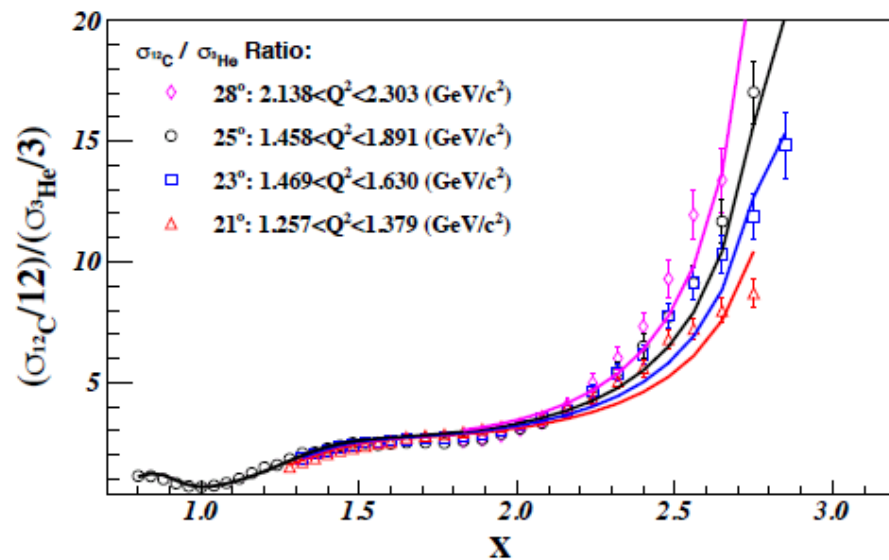
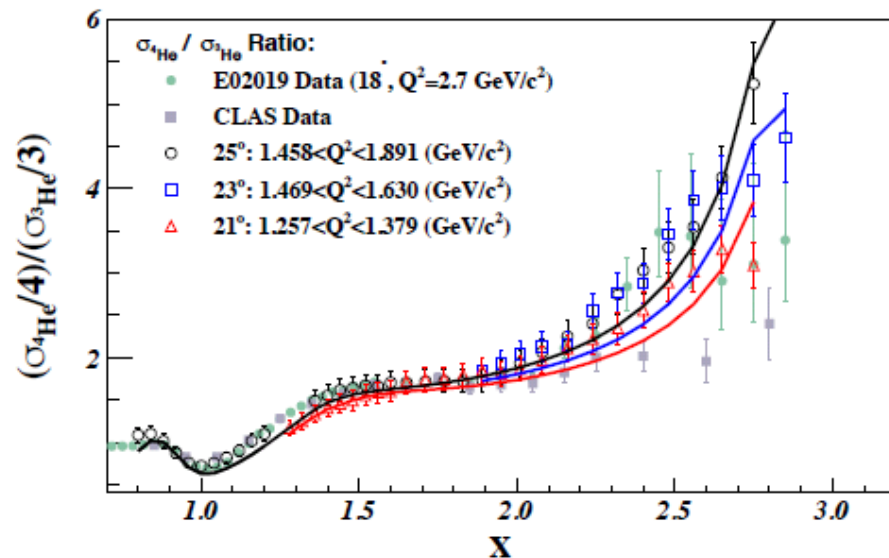


$x_{\min} > 2.5$; what about x_{\max} ?



Deuteron: smeared SRC similar to 2H ($A/2H$ is ~flat) until $x > 1.8$

^3He : cross section of stationary 3N-SRC begins to fall off closer to $x=2.6$. Sets in EARLIER at high Q^2



For 2N-SRCs, we could predict where 1*-body contributions vanish
For 3N-SRCs, not clear where 2*-body contributions vanish
Expect x_{\min} to decrease as Q^2 increases, making scaling start at smaller x
→ Higher Q^2 expands lower bound of possible scaling region

Difference between stationary 2N-SRC and moving 2N-SRC makes $A/{}^2\text{H}$ diverge as $x \rightarrow 2$, but effect small until $x=1.8-1.9$.

Difference between stationary 3N-SRC and moving 3N-SRC makes $A/{}^3\text{He}$ diverge as $x \rightarrow 3$, appears to impact potential plateau at $x \sim 2.6$ or so.

At higher Q^2 , this effect starts at smaller x
→ Higher Q^2 decreases upper bound of possible scaling region

Not clear what Q^2 is optimal (data to be taken at $Q^2 \sim 2, 3, 4 \text{ GeV}^2$)

Is there any Q^2 with significant separation of x_{\min} (2N contributions negligible) and x_{\max} (small impact of 3N motion)?

Need better modeling of 2N-SRC and 3N-SRC motion
 $A/{}^4\text{He}$ comparisons better for $x \rightarrow 3$ region

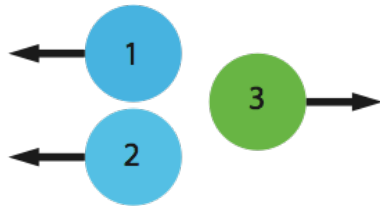


Note: looking for 3N-SRCs at larger x doesn't necessarily mean looking for larger initial nucleon momenta.

Struck nucleon in green, assume $k=600$ MeV/c



2N-SRC: Kinetic energy of recoil nucleon is ~ 180 MeV



3N-SRC (linear): KE of recoil nucleons is ~ 45 MeV each

Since inclusive scattering cross section is integral over spectral function rather than momentum distribution, the kinematics for the 2N- and 3N-SRCs are different (less energy transfer required)



Backups



